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# NAVAL POSTGRADUATE SCHOOL

## Monterey, California



CALCULATING PROCEDURE OF SEA-LEVEL STATIC  
PERFORMANCE OF TWO-SPOOL AFTERBURNING  
BYPASS JET ENGINE

by

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ABSTRACT:

A calculating procedure is presented for the sea-level static performance of duct burning and afterburning bypass jet engines that have a low pressure and a high pressure spool. Performance values can be determined also for operation without reheat. Influence of temperature and fuel/air ratio on the thermodynamic properties of air and combustion gases is taken into account. A calculating program for a Monroe 1880-43 programmable electronic desk calculator is described which makes it possible to evaluate effects of changes of parameters on performance with minimum effort.

The program will be used to establish the characteristics of compressors required for propulsive units of later generation Navy air-superiority fighter aircraft, to investigate whether the Turbo-Propulsion Laboratory of NPS would be capable of undertaking research and development work of such machines.

Programs of the type presented, and the use of modern programmable desk calculators, will also be of great value for instructional purposes. Teachers can then concentrate on the fundamental nature of particular topics and need not waste time on lengthy derivations, or on simplifications and approximations that are introduced only to solve equations with elementary means. The students would be relieved of the drudgery of routine hand calculations that do not contribute to a better understanding of the subject matter.

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CALCULATING PROCEDURE OF SEA-LEVEL STATIC  
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M. H. VAVRA

1. OBJECTIVE

To determine the sea-level static (SLS) performance of a bypass jet engine with or without duct burner and afterburner, and to establish a calculating program for a Monroe Model 1880-43 programmable hand calculator that can be used for optimization and systems analyses.

2. INTRODUCTION

Figure 1 shows a schematic of the engine under consideration with the station identification numbers that will be used in the report.

Total pressures and temperatures at the different stations are denoted by P and T with subscripts corresponding to the indices of the stations. Static pressures are denoted by  $P_s$  and static temperatures by  $T_s$ .

The total cooling air for the blades ( $\dot{w}_{BC}$ ) and the disks ( $\dot{w}_{DC}$ ) of the high turbine is taken as a fraction  $\xi$  of the engine air ( $\dot{w}_E$ ), or

$$\xi = \frac{\dot{w}_{BC} + \dot{w}_{DC}}{\dot{w}_E}$$

The bypass flow rate  $\dot{w}_{BP}$  is

$$\dot{w}_{BP} = b \dot{w}_E$$

where b is the bypass ratio. After the high turbine, the cooling air  $\xi \dot{w}_E$ , which is supposed to be at the temperature  $T_3$ , since the process in the high turbine is considered to be adiabatic, is mixed with the flow rate  $(1-\xi) \dot{w}_E$  of the high turbine which is at the temperature  $T_5$ .



The fuel/air ratio of the main burner is

$$f_B' = \frac{\dot{w}_{fB}}{(1-\xi) \dot{w}_E}$$

which is also the fuel/air ratio of the gas passing through the high turbine. After the mixing of cooling air and high turbine flow rate (station 6) the fuel/air ratio is

$$f_B = \frac{\dot{w}_{fB}}{\dot{w}_E} = (1-\xi) f_B'$$

which is the fuel/air ratio of the gas flow through the low turbine. The duct burner is taken as part of the afterburner and it is supposed that the bypass flow and the flow leaving the low turbine are heated to the same temperature  $T_9 = T_{10}$ . The fuel/air ratio necessary to heat  $\dot{w}_{BF}$  to  $T_9$  is

$$f_{DB} = \frac{\dot{w}_{fDB}}{\dot{w}_{BP}} = \frac{w_{fDB}}{b \dot{w}_E}$$

The fuel flow rate  $\dot{w}_{fAB}$  of the afterburner is expressed by

$$f_{AB} = \frac{\dot{w}_{fAB}}{\dot{w}_E}$$

The total fuel/air ratio  $f_N$  referred to the total air flow rate

$$\dot{w} = \dot{w}_E + \dot{w}_{BP} = (1+b) \dot{w}_E$$

is

$$f_N = \frac{f_B + f_{AB} + b f_{DB}}{1 + b} \quad (1)$$



This fuel/air ratio exists at station 11 ahead of the nozzle, and the total nozzle flow rate is

$$\dot{w}_N = (1+f_N) \dot{w}$$

The enthalpy of the flow rate  $\dot{w}_N$  at station 11 is supposed to be that at the temperature  $T_{11} = T_9 = T_{10}$  for the fuel/air ratio  $f_N$ . Hence it is assumed that the gas flows through the duct and afterburner are completely mixed at station 11.

The drop in total pressure  $\Delta P$  through a flow passage is expressed by the pressure drop coefficient

$$\lambda = \frac{\Delta P}{P_{\text{inlet}}}$$

where  $P_{\text{inlet}}$  is the total pressure ahead of the flow passage.

For the inlet nozzle,

$$\lambda_I = \frac{P_0 - P_1}{P_0}$$

For the bypass duct,

$$\lambda_{BP} = \frac{P_2 - P_7}{P_2}$$

For the main burner,

$$\lambda_B = \frac{P_3 - P_4}{P_3}$$

It is assumed that the pressures  $P_7$  and  $P_8$ , ahead of duct and afterburner, are equal and that the respective pressure drop coefficients  $\lambda_{DB}$  and  $\lambda_{AB}$  are equal also, or

$$\lambda_{DB} = \lambda_{AB} = \frac{P_7 - P_{11}}{P_7} = \frac{P_8 - P_{11}}{P_8}$$

The pressure  $P_7$  is then

$$P_7 = (1 - \lambda_I) (1 - \lambda_{BP}) \frac{P_2}{P_1} P_0$$

The pressure  $P_8$  equals

$$P_8 = (1 - \lambda_I) (1 - \lambda_B) \frac{P_3}{P_1} \frac{P_5}{P_4} \frac{P_8}{P_5} P_0$$

The total compression ratio  $P_3/P_1$  will be chosen, and the pressure  $P_5/P_4$  of the high turbine is obtained from the condition that the high turbine with the inlet temperature  $T_4$  must be capable of driving the high compressor. Hence with  $P_8 = P_7$  and  $P_6 = P_5$ , the pressure ratio  $P_8/P_5$  or  $P_8/P_6$  of the low turbine is

$$\frac{P_8}{P_5} = \frac{P_8}{P_6} = \frac{1 - \lambda_{BP}}{1 - \lambda_B} \frac{P_2/P_1}{(P_3/P_1) (P_5/P_4)} \quad (2)$$

The pressure ratio  $P_{12}/P_{11}$  of the jet nozzle then becomes with  $P_{12} = P_0$

$$\frac{P_{12}}{P_{11}} = \frac{P_0}{P_{11}} = \frac{P_0}{P_7 (1 - \lambda_{AB})} = \frac{1}{(1 - \lambda_I) (1 - \lambda_{BP}) (1 - \lambda_{AB}) (P_2/P_1)} \quad (3)$$

Hence, in addition to  $P_3/P_1$ , the pressure ratio  $P_2/P_1$  of the low compressor is also a variable parameter that has to be chosen.

### 3. THERMODYNAMICS OF REAL GASES

The data of Ref. 1 are used to establish the fuel/air ratios in the burners, and to calculate the enthalpies of air and combustion gases. Reference 1 assumes that the specific heats are functions of temperature and fuel/air ratio only. Even for pressure ratio  $P_3/P_1$  of 30 and higher the effect of pressure on specific heat is indeed negligible.

For a fuel of the composition  $(CH_2)_n$ , the chemical process for complete combustion is



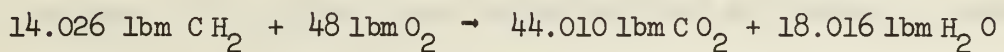
With the molecular weights:

$$M_{H_2} = 2.016$$

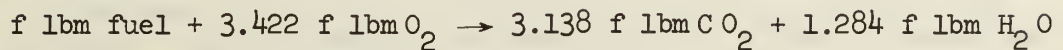
$$M_{O_2} = 32$$

$$M_C = 12.010$$

there is



or, for  $f$  pounds of fuel,



-----  
Ref. 1. Vanco, M. R. "Computer Program for Design-Point Performance of Turbojet and Turbofan Engine Cycles," NASA TM X-1340, Febr. 1967.

In one pound of air there are:

$$\begin{aligned}
 0.2314 \text{ lbm } O_2 & \quad (M_{O_2} = 32.0) \\
 0.7552 \text{ lbm } N_2 & \quad (M_{N_2} = 28.016) \\
 0.0129 \text{ lbm Argon} & \quad (M_{Ar} = 39.944) \\
 0.0005 \text{ lbm } CO_2 & \quad (M_{CO_2} = 44.010)
 \end{aligned}$$

The combustion products, if  $f$  pounds of fuel are burned with one pound of air, have the following composition:

$$\begin{aligned}
 \bar{m}_{O_2} &= 0.2314 - 3.422 f \quad \text{lbm} \\
 \bar{m}_{CO_2} &= 0.0005 + 3.138 f \quad \text{lbm} \\
 \bar{m}_{H_2O} &= 1.284 f \quad \text{lbm} \\
 \bar{m}_{N_2} &= 0.7552 \quad \text{lbm} \\
 \bar{m}_{Ar} &= 0.0129 \quad \text{lbm} \\
 \hline
 \bar{m}_G &= 1 + f \quad \text{lbm}
 \end{aligned}$$

This list shows that the stoichiometric fuel/air ratio, obtained if no oxygen is present in the combustion gases (or  $\bar{m}_{O_2} = 0$ ), equals

$$f_{\max} = \frac{0.2314}{3.422} = 0.0675 \frac{\text{lbm fuel}}{\text{lbm air}}$$

The specific heat  $c_{pG}$  of the combustion gases per lbm of mixture equals

$$c_{pG} = \frac{\sum \bar{m}_i c_{pi}}{1 + f} \quad (4)$$

where  $i$  refers to the components listed above. The molecular weight  $M_G$  of the combustion gas is obtained from

$$M_G = \frac{1 + f}{\sum \frac{\bar{m}_i}{M_i}}$$

With the mass  $\bar{m}_i$  of the components of the above table and their molecular weights  $M_i$

$$M_G = \frac{1 + f}{0.034522 + 0.035648 f} \quad (5)$$

and

$$R_G = \frac{1545.43}{M_G} \quad \left( \frac{\text{ft} - \text{lb}}{\text{lbm}, \text{ } ^\circ\text{R}} \right)$$

Then for air with  $f = 0$ ,

$$M_G = M_A = 28.9670$$

and

$$R_G = 53.3513 \quad \left( \frac{\text{ft} - \text{lb}}{\text{lbm}, \text{ } ^\circ\text{R}} \right)$$

The constituents of the combustion gases have specific heats  $c_{pi}$  which can be expressed by

$$c_{pi} = A_i + B_i(10^{-3}) T + C_i(10^{-6}) T^2 + D_i(10^{-9}) T^3 + E_i(10^{-12}) T^4 \quad (6)$$

Reference 1 gives the coefficients  $A_i$  to  $E_i$  for the different constituents in accordance with Ref. 2. The specific heat  $c_{pG}$  of Eq. 4 can therefore be expressed by a relation of the type

$$c_{pG} = \frac{1}{1+f} F(f, T) \quad (7)$$

where  $c_{pG}$  is in Btu/(lbm,  $^\circ\text{R}$ ) and  $T$  in  $^\circ\text{R}$ .

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Ref. 2. NASA SP-3001, 1963.

From the first law of thermodynamics

$$dq = T ds = du + \frac{p dv}{J} = dh - \frac{v dp}{J}$$

Further, since

$$dh = c_p dT \quad (8)$$

and

$$v = \frac{R_G T}{p}$$

there is

$$ds = c_p \frac{dT}{T} - \frac{R_G}{J} \frac{dp}{p}$$

For an isentropic process with  $ds = 0$ ,

$$\frac{R_G}{J} \frac{dp}{p} = c_p \frac{dT}{T}$$

This equation integrated gives

$$\frac{R_G}{J} \ln p = \int_0^T \frac{c_p}{T} dT = \varphi \left( \frac{\text{Btu}}{\text{lbm, } ^\circ\text{R}} \right) \quad (9)$$

if  $p = 1$  for  $T = 0$ .

If an isentropic process takes place from  $T_i, P_i$  to  $P_e, T_e'$  there is

$$\frac{R_G}{J} \ln \left( \frac{P_e}{P_i} \right) = \int_0^{T_e'} \frac{c_p}{T} dT - \int_0^{T_i} \frac{c_p}{T} dT = \varphi_{e'} - \varphi_i \quad (10)$$

and

$$\frac{P_e}{P_i} = e^{\left[ \frac{J}{R_G} (\varphi_{e'} - \varphi_i) \right]} \quad (11)$$



where

$$\frac{J}{R_G} = \frac{J M_G}{R_0} = \frac{778.16}{1545.43} M_G = 0.5035233 M_G$$

It is evident that for a given pressure ratio  $P_e/P_i$  and an inlet temperature  $T_i$  the isentropic temperature  $T_e'$  must be found with an iterative process.

Equation 8 integrated gives

$$h = \int_0^T c_p dT \quad \left( \frac{\text{Btu}}{\text{lbm Gas}} \right) \quad (12)$$

if  $h = 0$  for  $T = 0$

Turbomachinery calculations are simplified if average values of  $\bar{c}_p$  and  $\bar{\gamma} = \bar{c}_p/\bar{c}_v$  are introduced, after the inlet and exit conditions have been established with accurate methods. For an isentropic process with known quantities  $T_i, T_e', P_i, P_e$ ; and  $h_i, h_e'$  there exist two ways to determine  $\bar{\gamma}$ . From

$$h_e' - h_i = \bar{c}_p (T_e' - T_i)$$

and

$$\bar{c}_v = \bar{c}_p - R_G/J$$

there is

$$\bar{\gamma} = \bar{\gamma}_1 = \frac{\bar{c}_p}{\bar{c}_v} = \frac{1}{1 - \frac{R_G}{J} \frac{T_e' - T_i}{h_e' - h_i}}$$

From Eq. 10, however, with

$$\frac{R_G}{J} \ln \left( \frac{P_e}{P_i} \right) = \bar{c}_p \ln \left( \frac{T_e'}{T_i} \right) = \varphi_{e'} - \varphi_i$$

$$\bar{\gamma} = \bar{\gamma}_2 = \frac{1}{1 - \frac{R_G}{J} \frac{\ln(T_e'/T_i)}{\varphi_{e'} - \varphi_i}}$$

Experience has shown that the value  $\bar{\gamma}_2$  gives closer correspondance with real gas data than  $\bar{\gamma}_1$ . However, to determine the local value of  $\gamma = \gamma_2$  at a given static temperature  $T_s$  and fuel/air ratio  $f$ , it is necessary to apply the same method as for  $\bar{\gamma}_1$ , or

$$\gamma_2 = \frac{1}{1 - \frac{R_G}{J} \frac{T_s}{h_s}}$$

The velocity of sound "a" at the temperature  $T_s$  then becomes

$$a = \sqrt{\gamma_2 g R_G T_s} = \sqrt{\frac{g R_G T_s}{1 - \frac{R_G}{J} \frac{T_s}{h_s}}}$$

where  $h_s$  is the enthalpy that corresponds to the static temperature  $T_s$ .

In Ref. 1 the integrals of Eqs. 9 and 12 have been calculated. A total of ten constants appears in the results, namely,

$$C_1 = 0.24062$$

$$C_2 = 0.017724 (10^{-3})$$

$$C_3 = 0.038056 (10^{-6})$$

$$C_4 = 0.012662 (10^{-9})$$

$$C_5 = 0.0013012 (10^{-12})$$

$$D_1 = 0.22091$$

$$D_2 = 0.51822 (10^{-3})$$

$$D_3 = 0.19462 (10^{-6})$$

$$D_4 = 0.045089 (10^{-9})$$

$$D_5 = 0.0043275 (10^{-12})$$

Then,

$$\begin{aligned} \varphi = & \frac{1}{1+f} \left[ C_1 \ln T - C_2 T + \frac{C_3}{2} T^2 - \frac{C_4}{3} T^3 + \frac{C_5}{4} T^4 \right] \\ & + \frac{1}{1+f} \left[ D_1 \ln T + D_2 T - \frac{D_3}{2} T^2 + \frac{D_4}{3} T^3 - \frac{D_5}{4} T^4 \right] \end{aligned} \quad (13)$$

and

$$h = \frac{1}{1+f} h_A + \frac{f}{1+f} h_G \quad \left( \frac{\text{Btu}}{\text{lbm Gas}} \right) \quad (14)$$

where  $h_A$  is due to the air, and  $h_G$  due to the combustion gases of the mixture. Then

$$h_A = \left[ C_1 T - \frac{C_2}{2} T^2 + \frac{C_3}{3} T^3 - \frac{C_4}{4} T^4 + \frac{C_5}{5} T^5 \right] \quad (15)$$

$$h_G = \left[ D_1 T + \frac{D_2}{2} T^2 - \frac{D_3}{3} T^3 + \frac{D_4}{4} T^4 - \frac{D_5}{5} T^5 \right] \quad (16)$$

The quantities  $h$  and  $\varphi$  are shown in Figs. 6 and 7 as functions of  $T$  and  $f$ .

#### 4. FUEL/AIR RATIO OF COMBUSTOR

Figure 2 shows a combustion chamber where  $\dot{w}_i$  (lbm/s) of air with a fuel/air ratio  $f_i$  enter the combustor at the temperature  $T_i$ . To be determined is the fuel flow rate  $\dot{w}_f$  necessary to heat this mixture to the temperature  $T_e$ . The fuel enters the combustor at the temperature  $T_f$  and it is supposed that the combustor efficiency is  $\eta$ , or that  $\eta(\text{LHV})$  Btu's are released per lbm of fuel during combustion, where (LHV) is the lower heating value of the fuel in Btu/lbm.

A heat balance gives

$$\dot{w}_i (1 + f_i) h_i + \dot{w}_f h_f + \dot{w}_f \eta(\text{LHV}) = [\dot{w}_i (1 + f_i) + \dot{w}_f] h_e$$

With

$$\dot{w}_f = \Delta f \dot{w}_i$$

$$f_e = f_i + \Delta f$$

and Eq. 14,

$$h_{Ai} + f_i h_{Gi} + \Delta f h_f + \Delta f \eta(\text{LHV}) = h_{Ae} + (f_i + \Delta f) h_{Ge}$$

or

$$\Delta f \left[ h_f + \eta(\text{LHV}) - h_{Ge} \right] = h_{Ae} - h_{Ai} + f_i (h_{Ge} - h_{Gi})$$

and

$$\Delta f = \frac{\dot{w}_f}{\dot{w}_i} = \frac{h_{Ae} - h_{Ai} + f_i (h_{Ge} - h_{Gi})}{h_f + \eta(\text{LHV}) - h_{Ge}}$$

All enthalpies are zero at  $T = 0^\circ \text{ R}$ .

For JP-4 fuel the lower heating value is 18,400 Btu/lbm, and its specific heat is about 0.5. Hence at a chosen fuel temperature of  $520^\circ \text{ R}$ , or  $h_f = 260 \text{ Btu/lbm}$ , there is

$$\Delta f = \frac{h_{Ae} - h_{Ai} + f_i (h_{Ge} - h_{Gi})}{\eta(18,400) + 260 - h_{Ge}} \quad (17)$$

with  $h_A$  and  $h_G$  from Eqs. 15 and 16. With  $f_e = f_i + \Delta f$  the enthalpy  $h_e$  is obtained from Eq. 14.

Equation 17 can be used for all three combustors. For the main burner there are:

$$T_i = T_3$$

$$f_i = 0$$

$$T_e = T_4$$

$$\eta = \eta_B$$

$$\Delta f = f_e = f_B'$$

For the after-burner:

$$T_i = T_8$$

$$f_i = f_B = (1 - \xi) f_B'$$

$$T_e = T_{10}$$

$$\eta = \eta_{AB}$$

$$\Delta f = f_{AB}$$

$$f_e = f_B + f_{AB}$$

For the duct burner:

$$T_i = T_2$$

$$f_i = 0$$

$$T_e = T_9 = T_{10}$$

$$\eta = \eta_{AB}$$

$$\Delta f = f_e = f_{DB}$$

The fuel/air ratios  $f_B + f_{AB}$ , and/or  $f_{DB}$ , have to be lower than the stoichiometric ratio  $f_{\max} = 0.0675$ .

## 5. MIXING OF FLOWS AT CONSTANT PRESSURE

The process illustrated in Fig. 3 will be used to evaluate the conditions that occur after the high turbine, where the cooling air is mixed with the turbine discharge, and those where the bypass and the engine flow mix before entering the jet nozzle. With the symbols of Fig. 4, on assuming an adiabatic process,

$$\dot{w}_i(1 + f_i) h_i + \dot{w}_{ii}(1 + f_{ii}) h_{ii} = \left[ \dot{w}_i(1 + f_i) + \dot{w}_{ii}(1 + f_{ii}) \right] h_e$$

Let

$$\dot{w}_e = \dot{w}_i + \dot{w}_{ii} = (1 + \zeta) \dot{w}_i$$

or

$$\zeta = \frac{\dot{w}_{ii}}{\dot{w}_i} \quad (18)$$

Then

$$h_e = \frac{(1 + f_i) h_i + \zeta(1 + f_{ii}) h_{ii}}{1 + \zeta + f_i + \zeta f_{ii}} \quad (19)$$

and

$$f_e = \frac{f_i + \zeta f_{ii}}{1 + \zeta} \quad (20)$$

With Eq. 14, there is from Eq. 19,

$$h_e = \frac{h_{Ai} + f_i h_{Gi} + \zeta h_{Aii} + \zeta f_{ii} h_{Gii}}{(1 + \zeta) + f_i + \zeta f_{ii}}$$

For the known values of  $h_e$  and  $f_e$  the temperature  $T_e$  is obtained by iterating Eq. 14.

For the mixing ahead of the jet nozzle, there is  $T_i = T_{ii}$ , or  $h_{Ai} = h_{Aii}$ , and  $h_{Gi} = h_{Gii}$ . Then, with Eq. 20

$$h_e = \frac{(1 + \zeta)h_{Ai} + h_{Gi}(f_i + \zeta f_{ii})}{(1 + \zeta) + f_i + \zeta f_{ii}} = \frac{h_{Ai} + f_e h_{Gi}}{1 + f_e}$$

However

$$h_e = \frac{1}{1 + f_e} h_{Ae} + \frac{f_e}{1 + f_e} h_{Ge}$$

Hence, as could be expected, there must be

$$h_{Ae} = h_{Al} \text{ and } h_{Ge} = h_{Gi}$$

and the temperature after the mixing process is equal to  $T_i = T_{ii}$ . Hence  $h_e$  can be calculated directly for  $T_i = T_{ii}$  and the fuel/air ratio  $f_e$  of Eq. 20.

For the mixing process after the high turbine there are:



$$\zeta = \xi / (1 - \xi)$$

$$T_i = T_5$$

$$f_i = f_B'$$

$$T_{ii} = T_3$$

$$f_{ii} = 0$$

$$f_e = f_B$$

For the mixing process ahead of the jet nozzle:

$$\zeta = b$$

$$T_i = T_{ii} = T_9 = T_{10}$$

$$f_i = f_B + f_{AB}$$

$$f_{ii} = f_{DB}$$

$$f_e = f_N$$

## 6. LOW AND HIGH COMPRESSOR CALCULATIONS

Figure 5 represents a compression process in an entropy diagram. The pressure ratio  $P_e/P_i$  of both low and high compressor will be chosen. Then

$$\Delta h_{is} = h_e' - h_i$$

and the specific work necessary to drive the compressor is, with the compressor efficiency  $\eta_c$ ,

$$\Delta h_w = \frac{\Delta h_{is}}{\eta_c}$$

From Eq. 10

$$\varphi_e' = \varphi_i + \frac{R_G}{J} \ln \left( \frac{P_e}{P_i} \right)$$

where both values of  $\varphi$  are for  $f = 0$ . From  $\varphi_{T2}$ , the temperature  $T_e'$  is obtained by an iteration. Then, from Eq. 15

$$h_{e'} = h_A(T_{e'})$$

Also

$$h_i = h_A(T_i)$$

Further

$$h_e = h_i + \frac{h_{e'} - h_i}{\eta_c}$$

From  $h_e$ , the temperature  $T_e$  is obtained with an iteration of Eq. 15 for  $f = 0$ .

The driving power of the compressor is

$$HP = \dot{w}_c (h_e - h_i) \frac{J}{550}$$

For the low compressor:

$$\dot{w}_c = \dot{w}_E (1 + b) = \dot{w}$$

$$h_e = h_2$$

$$h_i = h_1$$

$$\eta_c = \eta_{LC}$$

For the high compressor:

$$\dot{w}_c = \dot{w}_E = \dot{w} / (1 + b)$$

$$h_e = h_3$$

$$h_i = h_2$$

$$\eta_c = \eta_{HC}$$

## 7. HIGH TURBINE CALCULATIONS

The high turbine must drive the high compressor. Hence,

$$(1 - \xi) \dot{w}_E (1 + f_B') (h_4 - h_5) = \dot{w}_E (h_3 - h_2)$$

or

$$h_5 = h_4 - \frac{h_3 - h_2}{(1 - \xi)(1 + f_B')} \quad (21)$$

where the value of  $f$ , to calculate  $h_5$  and  $h_4$ , equals  $f_B'$ . Equation 14 iterated yields  $T_5$ . With the high turbine efficiency  $\eta_{HT}$ , the isentropic enthalpy  $h_5'$  at the high turbine exit is

$$h_5' = h_4 - \frac{h_4 - h_5}{\eta_{HT}} \quad (22)$$

This value of  $h_5'$  is used to determine the corresponding isentropic temperature  $T_5'$ . Then by Eq. 11

$$\frac{P_5}{P_4} = e^{\left[ \frac{J}{R_G} (\varphi_{5'} - \varphi_4) \right]} \quad (23)$$

The values of  $\varphi$  and  $R_G$  must be determined for  $f = f_B'$ .

## 8. EXPANSION PROCESS

The pressure ratio in the low turbine is known from Eq. 2, if  $P_5/P_4$  has been determined. The pressure ratio in the jet nozzle is given by Eq. 3. For both processes the same calculating method can be applied; for the low turbine to establish its work output, and for the jet nozzle to determine the discharge velocity  $V_d$ .

Let  $P_i, T_i$  be the inlet and  $P_e, T_e$  the discharge conditions. The temperature  $T_e'$  occurs for an isentropic expansion from  $P_i, T_i$  to  $P_e$ . The gas shall have the fuel/air ratio  $f$ . Then, by Eq. 10

$$\varphi_{e'} = \varphi_i + \frac{R_G}{J} \ln \left( \frac{P_e}{P_i} \right)$$

where the values of  $\varphi$  and  $R_G$  depend on  $f$ . The value of  $\varphi_{e'}$  is used to obtain  $T_e'$ . For  $T_e'$  the enthalpy  $h_{e'}$  is determined from Eq. 14. Then, with the efficiency  $\eta_e$  of the expansion process,

$$h_e = h_i - (h_i - h_e') \eta_e$$

From  $h_e$  there is obtained the exit temperature  $T_e$ .

## 9. LOW TURBINE CALCULATIONS

The method of section 7 can be used for the low turbine with:

$$\begin{aligned} T_i &= T_6 \\ P_e/P_i &= P_8/P_5 & (\text{Eq. 2}) \\ f &= f_B \\ \eta_e &= \eta_{LT} \end{aligned}$$

to determine  $T_e = T_8$  and  $h_e = h_8$ . The low turbine power is then

$$HP_{LT} = \dot{w}_E (1 + f_B) (h_6 - h_8) \frac{J}{550}$$

Since the low turbine drives the low compressor, there is

$$\dot{w}_E (h_6 - h_8) = \dot{w} (h_2 - h_1) = \dot{w}_E (1 + b) (h_2 - h_1)$$

Hence the bypass ratio  $b$  equals

$$b = \frac{(1 + f_B)(h_6 - h_8)}{h_2 - h_1} - 1$$

## 10. JET NOZZLE DISCHARGE VELOCITY

The method of section 7 can be used to establish the jet nozzle discharge conditions with:

$$\begin{aligned} T_i &= T_9 = T_{10} = T_{11} \\ P_e/P_i &= P_o/P_{11} = P_{12}/P_{11} & (\text{Eq. 3}) \\ f &= f_N & (\text{Eq. 11}) \\ \eta_e &= \psi^2 \end{aligned}$$

where  $\psi$  is the velocity coefficient of the nozzle. The static temperature  $T_{12}$  and the static pressure  $P_{12}$  are equal to  $T_e$  and  $P_e$  of section 7. The

static enthalpy  $h_{12}$  corresponds to  $h_e$ , and

$$V_d = \sqrt{2 g J (h_{11} - h_{12})}$$

The Mach number  $M_d$  of  $V_d$  equals (see section 3)

$$M_d = \frac{V_d}{\sqrt{\frac{g R_G T_{12}}{1 - \frac{R_G T_{12}}{J h_{12}}}}}$$

## 11. ENGINE PERFORMANCE

The thrust  $F$  produced at sea-level static conditions is

$$F = \dot{w}(1 + f_N) \frac{V_d}{g} \quad (\text{lbF})$$

or the so-called specific impulse  $I_{SP}$  becomes

$$I_{SP} = \frac{F}{\dot{w}} = \frac{(1 + f_N) V_d}{g} \quad \left( \frac{\text{lbF}}{\text{lbm/s}} \right) \quad (24)$$

The specific fuel consumption is

$$\text{SFC} = \frac{f_N \dot{w}}{F} = \frac{f_N (3600)}{I_{SP}} \quad \left( \frac{\text{lb fuel/hr}}{\text{lb thrust}} \right)$$

## 12. ENGINE THRUST VS. OUTER DIAMETER OF LOW COMPRESSOR

The calculating program contains an auxiliary part which can be used to determine the engine thrust for a specified outer diameter  $D_{T1}$  of the low compressor if it has so-called impulse bladings.

With a chosen hub/tip ratio ahead of the first stage;  $r_{hl} = D_{hl}/D_{T1}$ , and from the velocity diagram of Fig. 4, or

$$V_1 = U_T \cot \beta_{1T}$$

there is

$$\dot{w} = \frac{\pi}{4} D_{T1}^2 (1 - r_{hl}^2) U_T \cot \beta_{1T} \frac{P_{s1}}{R_G T_{s1}} k_1 \quad (25)$$

where  $k_1$  is a blockage factor to account for the displacement thickness of the wall boundary layers at station 1.

Equation 25 holds for the assumption that the axial velocity  $V_1$  at the low compressor inlet eye area is constant and that it can be calculated from the conditions at the tip diameter where the peripheral speed  $U_T$  (ft/s) and the relative flow angle  $\beta_{1T}$  exist. The quantities  $T_{s1}$  and  $P_{s1}$  are static temperature and pressure, respectively, at station 1 of Fig. 1. The total temperature at 1 equals  $T_o$ , or  $h_1 = h_o$ , and

$$P_1 = (1 - \lambda_T) P_o$$

Then

$$h_{s1} = h_o - \frac{V_1^2}{2g J} = h_o - \frac{(U_T \cot \beta_{1T})^2}{2g J}$$

This equation is similar to Eq. 21. It is possible, therefore, to use the high turbine calculating procedure to establish the static temperature  $T_{s1}$  and the static pressure  $P_{s1}$ . With

$$(h_4 - h_5) = \frac{(U_T \cot \beta_{1T})^2}{2g J}$$

and

$$\eta_{HT} = 1$$

this procedure gives  $T_{s1} = (T_e)$ ; and  $P_{s1}/P_1 = (P_e/P_i)$  for  $f = 0$ . The values in the brackets shall indicate that their equality pertains only to the correspondence of the values that are obtained from the calculation; to avoid misinterpretation, for instance, that  $T_{s1}$  has the same magnitude as the total temperature  $T_e$ .

Then

$$P_{s1} = (P_{s1}/P_1) P_1 = (P_{s1}/P_1)(1 - \lambda_T) P_o$$

where  $P_o$  must be introduced in psia, if  $D_{T1}$  is in inches, to obtain  $\dot{w}$  of



Eq. 25 in lbm/s.

The thrust  $F$  of the engine is then with Eq. 24,

$$F = \dot{w} I_{SP} \quad (\text{lb}_f)$$

Hence the quantities that must be chosen to obtain  $\dot{w}$  and  $F$  are  $D_{T1}$ ,  $r_{h1}$ ,  $U_T$ ,  $\beta_{1T}$  and  $k_1$ , in addition to  $P_O$ ,  $T_O$ .

Of interest is also the Mach number  $M_{W1}$  of the relative inlet velocity  $W_{1T}$  of Fig. 4 at the tip of the rotor blade. From section 3

$$M_{W1} = \frac{W_{1T}}{a_{s1}} = \frac{U_T / \sin \beta_{1T}}{a_{s1}} = \frac{U_T / \sin \beta_{1T}}{\sqrt{\frac{g R_G T_{s1}}{1 - \frac{R_G T_{s1}}{J h_{s1}}}}}$$

Evidently these relations hold only if the first stage of the low compressor is of the impulse type, where a rotor with axial absolute inlet velocity is followed by a stator.

### 13. CALCULATION PROCEDURE

Programs VA 513 is used to introduce constants and the parameters of the jet engine in the manner listed in the operating instructions of Appendix A. The entered data are printed for checking purposes. Then program VA 514 is read into the calculator. This program calculates the conditions of state at all stations of Fig. 1, and prints the particulars of the different elements of the unit. Subsequently, the overall performance parameters of the engine are printed out, namely, the specific impulse, the specific fuel consumption, the bypass ratio, and the Mach number of the flow at the discharge of the jet nozzle. These quantities are independent of the geometry and the blading particulars of the low compressor at station 1 of Fig. 1.

The program can then process an arbitrary number of sets of low compressor inlet data; that is, diameter, hub/tip ratio, peripheral rotor speed, and

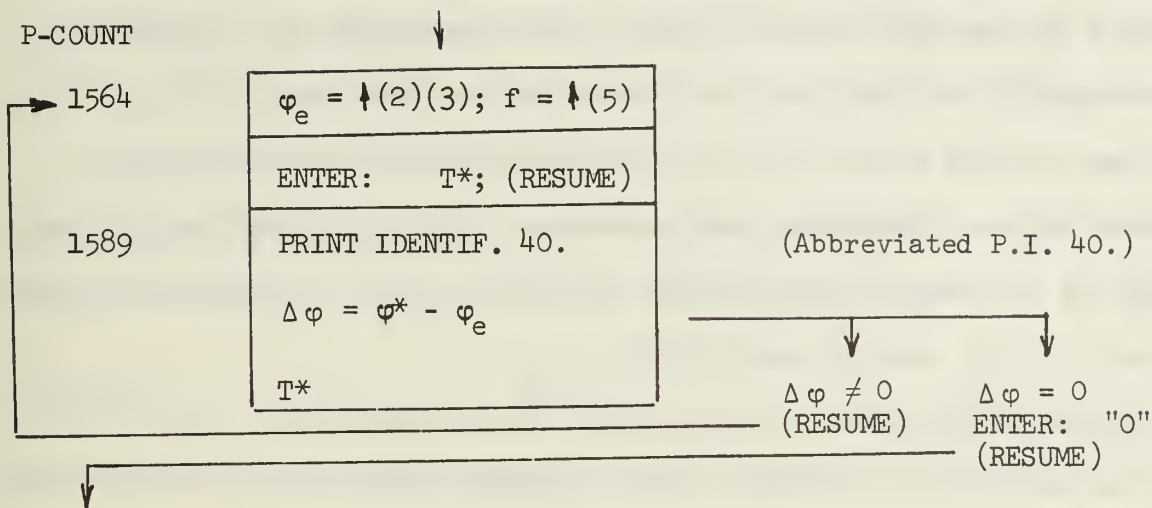
relative tip flow angle of the first stage of the low compressor, to obtain a particular thrust of the jet engine. For these calculations it is assumed that this first stage is of the impulse type as described in section 12. For specified inlet conditions the program prints out the particulars of the turbomachines.

The necessary steps that have to be undertaken by the operator are listed in Appendix A. They consist primarily in trial- and error methods to establish the temperatures at the different stations of the cycle.

These methods of successive approximations are explained in the following.

Let the inlet conditions of an element of the jet engine; that is, of either a compressor or a turbine, be identified by the subscript  $i$ , and its discharge conditions by the subscript  $e$  (see Fig. 5 for compression process). A similar symbolism will be adopted for the mixing process of Fig. 3, with the difference that the subscripts  $i$  and  $ii$  are used for the inlet properties of the two gas flows that are mixed. For known inlet conditions the program establishes either the enthalpy  $h_e$  of Eq. 14 or the function  $\varphi_e$  of Eq. 14 at the discharge of an element, and the operator must determine the temperature  $T_e$  that corresponds to either  $h_e$  or  $\varphi_e$ . For given values of  $h_e$  or  $\varphi_e$ , the corresponding temperature  $T_e$  is also a function of the fuel/air ratio  $f$ . For known values of  $h_e$  or  $\varphi_e$ , and  $f$ , a first approximation of  $T_e = T^*$  can be obtained from Figs. 6a, 6b or Figs. 7a, 7b, respectively. If  $T^* = T_e$  is entered, the program calculates either  $\Delta h = h^* - h_e$ , or  $\Delta \varphi = \varphi^* - \varphi_e$ , where  $h^*$  and  $\varphi^*$  are the values of  $h$  and  $\varphi$  for  $T^*$  and  $f$ . Then the quantities  $\Delta h$ , or  $\Delta \varphi$ , and  $T^*$  are printed out, after a print identification number which is left-justified.

In the operating instructions all iterations are indicated by the set-up which is shown below.



In this example the temperature  $T_e$  must be established at P-Count 1564 for particular values  $\varphi_e$  and  $f$ . The symbol  $\uparrow(2)(3)$  indicates that  $\varphi_e$  is stored in data register 32, and  $\uparrow(5)$  shows that  $f$  is stored in scratch pad register 5. These values can be recalled and printed. Then, a first approximation of  $T_e = T^*$  is obtained from Fig. 7 which is entered at P-Count 1564. After depressing the (RESUME) key the calculator will stop at P-Count 1589 to display the print identifier (40.), the difference  $\Delta\varphi = \varphi^* - \varphi_e$ , and the value of  $T^*$  which was entered at P-Count 1564. The quantity  $\varphi^*$  in  $\Delta\varphi$  is the value of  $\varphi$  that corresponds to  $T^*$  and  $f$ , whereas  $\varphi_e$  is the value for which  $T_e$  has to be determined. If the error  $\Delta\varphi$  is excessive, the (RESUME) key must be depressed to return the calculations to P-Count 1564, where a better approximation for  $T^* = T_e$  can be entered, namely, smaller values if  $\Delta\varphi$  was negative. This process is repeated as often as necessary until the error  $\Delta\varphi$  has been reduced to acceptable values. Then a zero (0) must be entered on the keyboard before the (RESUME) key is depressed. With this manipulation the program leaves the iteration loop and continues with the subsequent calculations.

Iterations of  $T_e$  for know values of  $h_e$  and  $f$  follow the same pattern, with the exception that  $\Delta h = h^* - h_e$  is displayed instead of  $\Delta\varphi$ . If it is assumed that the temperatures  $T_e$  to be determined deviate by not more

$\pm 0.005$   $^{\circ}\text{R}$  from their correct values, the error  $\Delta\phi$  should not exceed about  $3(10^{-6})$ , and the error  $\Delta h$  should be less than about  $2(10^{-3})$ . The program sets the decimal point to six, hence all print-outs have six decimal digits. Therefore, the iterations of  $T_e$  for  $\phi_e$  must be continued until  $\Delta\phi$  is smaller than 0.000003, and those of  $T_e$  for  $h_e$  must be repeated until  $\Delta h$  is smaller than 0.00200.

During the execution of the program the so-called print-outs A occur for the compressors, turbines, and the exhaust nozzle and inlet duct. The form of print-out A is as follows:

Identifier (left-justified, negative number in red)

$P_e/P_i$  = exit pressure/inlet pressure

$T_i$  = inlet temperature ( $^{\circ}\text{R}$ )

$h_i$  = inlet enthalpy (Btu/lbm)

$\eta$  = efficiency of process

$T_e$  = exit temperature ( $^{\circ}\text{R}$ )

$h_e$  = exit enthalpy (Btu/lbm)

$h_e - h_i$  or  $h_i - h_e$  (positive value)

$f$  = fuel/air ratio

$\bar{\gamma}$  = average value of  $\gamma = c_p/c_v$  for isentropic process from  $P_i, T_i$  to  $P_e$

$R_G$  = gas constant  $\left(\frac{\text{ft} - \text{lb}}{\text{lbm}, ^{\circ}\text{R}}\right)$

For the turbomachines the values of  $P_e, P_i, T_i, h_i, T_e, h_e$  correspond to the total conditions at inlet and exit. For the exhaust nozzle and the inlet duct the pressure  $P_e$ , the temperature  $T_e$  and the enthalpy  $h_e$  pertain to the static conditions at the exit, and  $h_i - h_e$  equals the kinetic energy



$V_e^2/2gJ$  where  $V_e$  is the actual velocity at the exit of the exhaust nozzle N at station 12 of Fig. 1; or ahead of the blading of the low compressor at station 1 of Fig. 1 for the inlet duct I.

The identifier preceding print-out A is indicative of the element to which the results pertain. In the following table this correspondence is listed.

Identifier	Element	Inlet and Exit Stations of Fig. 1 (i) - (e)
- 101.	Inlet Nozzle	0 - 1
- 12.	Low Compressor	1 - 2
- 23.	High Compressor	2 - 3
- 45.	High Turbine	4 - 5
- 68.	Low Turbine	6 - 8
- 1,112.	Exhaust Nozzle	11 - 12

The results of the combustion processes are given with the so-called print-outs B, which have the following form:

Identifier (left-justified, negative number in red)

$T_e$  = exit temperature ( $^{\circ}R$ )

$h_e$  = exit enthalpy (Btu/lbm)

$\Delta f$  = fuel added in combustor per pound of mixture

$f_e$  = fuel/air ratio at exit of combustor.

The so-called print-out C displays the result of a mixing process as follows:

Identifier (left-justified, negative number in red)

$T_e$  = temperature after mixing ( $^{\circ}R$ )

$h_e$  = enthalpy after mixing (Btu/lbm)

$\zeta = \dot{w}_{ii}/\dot{w}_i$  = ratio of flow rates of gases to be mixed

$f_e$  = fuel/air ratio after mixing

In print-outs B and C the identifier has the form -7xx, where xx is indicative of the index of the exit station, in accordance with Fig. 1, of either the combustor, or the station where the mixing has occurred. Thus, the identifier -704. refers to the conditions at station 4 after the main burner, and -711 is indicative of station 11 of Fig. 1 after the gas flows from the duct and afterburner have been mixed.

Identifiers and/or print-outs that do not correspond to the above-mentioned categories are explained in Appendix A.

The program can be used also for jet engines without reheat by duct burner and afterburner. Appendix B gives the operating instructions for such units.

The complete listing of the calculating steps of programs VA 513 and VA 514 is given in Appendix C together with forms that show the contents of the scratch pad and main data registers.

#### 14. EXAMPLES

Two examples are given which can be used to check the program. Example A deals with a jet engine with afterburner which may be classified as a second generation unit for the propulsion of air-superiority aircraft of the F-14 type. It operates with turbine inlet temperatures of 2900 °R (2540 °F) and has an overall pressure ratio  $P_3/P_1$  of 30. Its diameter at the low compressor inlet is 36 inches, equal to that of the F401 engine presently in development for the F-14B aircraft (see Ref. 3).

Tables I(1) and I(2) give the results of the calculations. These tables are of standard form to which the print-outs of the program are attached. Table I(2) shows that the thrust of the unit can be increased from 28,563 pound to 32,618 pound by increasing the tip speed of the rotor

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Ref. 3 Aviation Week & Space Technology, Vol. 96, No. 26, June 26, 1972, pp. 88/97.



of the first stage of the low compressor from 1600 ft/s to 1700 ft/s, and by decreasing its hub/tip ratio from 0.4 to 0.35. However the higher tip speed increases the tip Mach number of the relative flow of the first compressor stage from about 1.65 to 1.91. The bypass ratio is  $b = 0.88$  for both cases.

The following list gives the temperatures which were determined by the iterations in Example A to make possible a quick check of the program on the Monroe calculator. Indicated are the P-Counts, in the same order as they occur in the calculating sequence, and the errors, in either  $\Delta\varphi$  or  $\Delta h$ .

<u>P-Count</u>	<u>ENTRY: T*</u>	<u>PRINT-OUT:</u>
1213	$T_2' = 742.015$	$\Delta\varphi = 0.000\ 000$
1272	$T_2 = 777.813$	$\Delta h = -0.000\ 013$
1213	$T_3' = 1397.775$	$\Delta\varphi = 0.000\ 000$
1272	$T_3 = 1479.194$	$\Delta h = 0.000\ 020$
1567	$T_5 = 2295.791$	$\Delta h = -0.000\ 079$
1628	$T_5' = 2203.423$	$\Delta h = 0.000\ 016$
1933	$T_6 = 2258.783$	$\Delta h = -0.000\ 092$
1361	$T_8' = 1818.390$	$\Delta\varphi = 0.000\ 000$
1419(*)	$T_8 = 1863.262$	$\Delta h = 0.000\ 003$
1361	$T_{12}' = 2655.945$	$\Delta\varphi = 0.000\ 000$
1419	$T_{12} = 2700.647$	$\Delta h = 0.000\ 027$

For data (1) of Table I(1) of the first-stage rotor of the low compressor, the obtained temperatures are:

<u>P-Count</u>	<u>ENTRY: T*</u>	<u>PRINT-OUT:</u>
1567	$T_1 = 473.629$	$\Delta h = -0.000\ 056$

For data (2) of Table I(1)

1567	$T_1 = 439.692$	$\Delta h = 0.000\ 033.$
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Example B deals with the same engine as Example A but without reheat by duct and afterburner. These elements are supposed to be installed however so that their pressure drops are taken into account. Tables II(1) and II(2) give the results of the calculations. With data (1) of the first-stage of the low compressor, the thrust is 17,309 pounds, and with data (2) it becomes 19,766 pound. Hence, reheat to 3400 °R (2940 °F) increases the thrust by about 11,200 to 12,800 pound, but the specific fuel consumption is increased from 0.676 lb fuel/(lb thrust, hour) to a value of 1.691.

To check out Example B on the calculator without iterations, the same temperatures must be introduced as given in the preceding list for Example A, up to and including P-Count 1419 that is marked with an asterisk (iteration of  $T_8$ ). The subsequent entries are:

<u>P-Count</u>	<u>ENTRY: T*</u>	<u>PRINT-OUT:</u>
1933	$T_{11} = 1387.086$	$\Delta h = -0.000\ 014$
1361	$T_{12}' = 1020.635$	$\Delta \varphi = 0.000\ 000$
1419	$T_{12} = 1042.728$	$\Delta h = -0.000\ 059$

For data (1) and (2) of the first-stage rotor of the low compressor of Table II(1), the temperatures to be introduced at P-Count 1567 are  $T_1 = 473.629$  and  $T_1 = 439.692$ , respectively, as for Example A.

TABLE I(1) JET ENGINE (WITH) (WITHOUT) AFTERBURNER ; PROG. VA 513/514

CONFIGURATION EXAMPLE A FORM 1 of 2;

INPUT DATA  
(GENERAL)

P0	-100.
T0	14.7000
P2/P1	520.0000
P3/P1	3.5000
T4	30.0000
T9-T10	2,900.0000
ε	3,400.0000
λI	0.0500
λBP	0.0100
λB	0.0200
λAB	0.0500
ηLC	0.0600
ηHC	0.8600
ηHT	0.8800
ηLT	0.8700
ηB	0.9000
ηAB	0.9600
↓	0.9300
	0.9700

CALCULATED PERFORMANCE DATA

ISP	-200.
SFC	109.976328
b	1.691403
Md	0.880183
	1.355328

CHOSEN DATA OF FIRST-STAGE ROTOR OF LOW COMPRESSOR  
( 2 )

INLET DUCT ( 1 )	INLET DUCT
-101.	-101.
0.721370	0.556480
520.000000	520.000000
124.288220	124.288220
1.000000	1.000000
473.629000	439.692000
113.171386	105.049657
11.116834	19.238563
0.000000	0.000000
1.400536	1.400972
53.351334	53.351334

ENGINE DATA ( 1 )

ENGINE DATA ( 2 )

P <sub>sl</sub> /P <sub>i</sub>	D <sub>T1</sub>
T <sub>1</sub>	I <sub>h1</sub>
h <sub>1</sub>	U <sub>T</sub>
η	β <sub>IT</sub>
T <sub>sl</sub>	k <sub>1</sub>
h <sub>sl</sub>	F
h <sub>1</sub> -h <sub>sl</sub>	ω
f	HP <sub>LC</sub>
γ	HP <sub>HC</sub>
R <sub>G</sub>	M <sub>W1</sub>







TABLE I(2) JET ENGINE DATA (WITH) (WITHOUT) AFTERBURNER ; PROG. VA 513/514.  
 CONFIGURATION EXAMPLE B FORM 2 of 2;

LOW COMPRESSOR		HIGH TURBINE		EXIT AFTERBURNER	
-12.	3.500000	-45.	0.299998	-710.	1,863.262000
P <sub>2</sub> /P <sub>1</sub>	520.000000	T <sub>4</sub>	2,900.000000	h <sub>10</sub>	479.746695
T <sub>1</sub>	124.288220	h <sub>4</sub>	788.603825	Δf	0.000000
h <sub>1</sub>	0.860000	η <sub>HT</sub>	0.870000	f <sub>10</sub>	0.023525
η <sub>LC</sub>	777.813000	T <sub>5</sub>	2,295.791000	.....	.....
T <sub>2</sub>	186.680747	h <sub>5</sub>	606.176939	EXIT DUCT BURNER	
h <sub>2</sub>	62.392527	h <sub>4-h5</sub>	182.426886	-709.	
h <sub>2-h1</sub>	0.000000	f	0.024763	T <sub>9</sub>	777.813000
f	1.396268	Y	1.295604	h <sub>9</sub>	186.680734
Y	53.351334	R <sub>G</sub>	53.393384	Δf	0.000000
R <sub>G</sub>	.....	.....	.....	f <sub>9</sub>	0.000000
				.....	.....
HIGH COMPRESSOR		INLET LOW TURBINE		INLET JET NOZZLE	
-23.	8.571429	-706.	2,258.783000	-711.	1,387.086000
P <sub>3</sub> /P <sub>2</sub>	777.813000	T <sub>6</sub>	594.359904	T <sub>11</sub>	344.247063
T <sub>2</sub>	186.680734	h <sub>6</sub>	0.052632	h <sub>11</sub>	0.880183
h <sub>2</sub>	0.880000	G-5/(1-5)	0.023525	b	0.012512
η <sub>HC</sub>	1,479.194000	f <sub>6</sub>	.....	f <sub>11</sub>	.....
T <sub>3</sub>	364.277862	.....	.....	.....	.....
h <sub>3</sub>	177.597128	LOW TURBINE	.....	EXPANSION JET NOZZLE	
h <sub>3-h2</sub>	0.000000	-68.	0.401172	-1,112.	0.313287
f	1.375188	P <sub>8</sub> /P <sub>6</sub>	2,258.783000	T <sub>12</sub>	1,387.086000
Y	53.351334	T <sub>6</sub>	594.359812	h <sub>11-2</sub>	344.247049
R <sub>G</sub>	.....	h <sub>6</sub>	0.900000	η <sub>N-2</sub>	0.940900
		η <sub>LT</sub>	1,863.262000	T <sub>12</sub>	1,042.728000
		T <sub>8</sub>	479.746692	h <sub>12</sub>	254.679907
		h <sub>8</sub>	114.613120	h <sub>11-h12</sub>	89.567142
		h <sub>6-h8</sub>	0.023525	f	0.012512
		f	1.311382	Y	1.359289
		Y	53.391330	R <sub>G</sub>	53.372837
		R <sub>G</sub>	.....	.....	.....
		.....	.....	.....	.....
EXIT MAIN BURNER					
-704.	2,900.000000				
T <sub>4</sub>	788.603825				
h <sub>4</sub>	0.024763				
Δf	0.024763				
f <sub>4</sub>	0.024763				



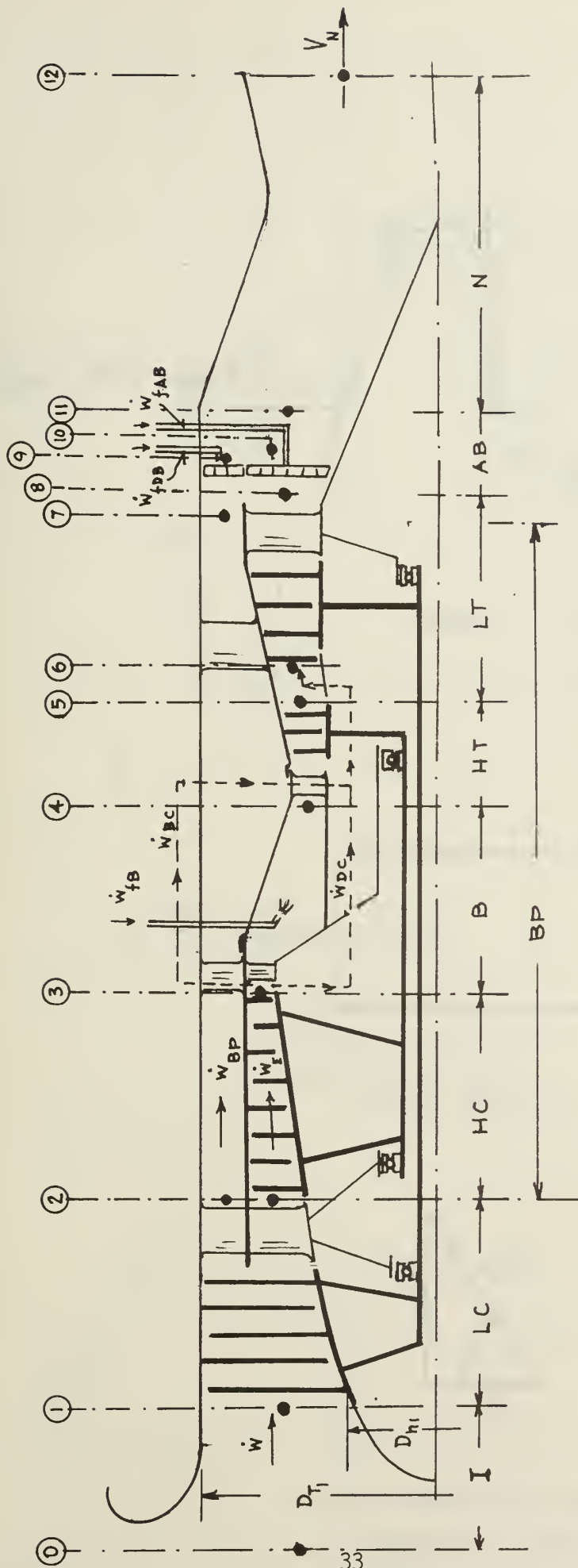


FIG. 1 SCHEMATIC OF BYPASS JET ENGINE WITH DUCT AND AFTERBURNER

- I = Inlet Nozzle for Sea Level Static Tests
- N = Jet Nozzle with Complete Expansion to  $P_0 = P_{12}$
- BP = Bypass Duct
- B = Main Burner
- AB = Duct and Afterburner
- LC = Low Compressor
- LT = Low Turbine
- HC = High Compressor
- HT = High Turbine

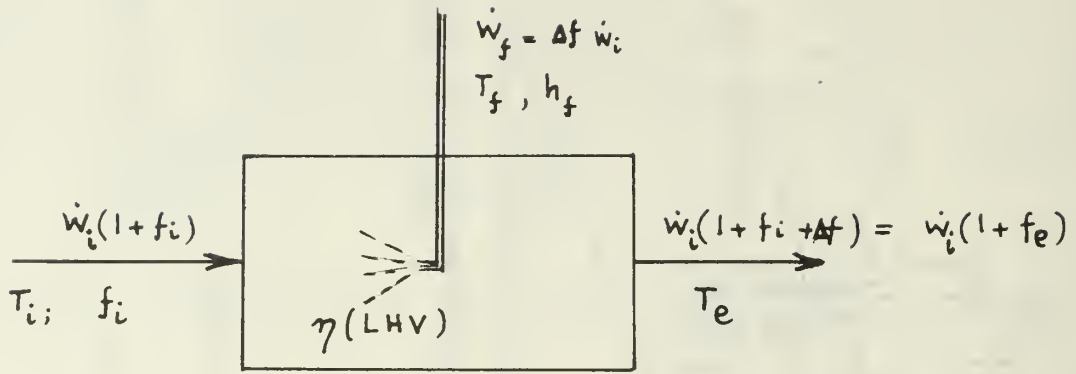


FIG. 2 COMBUSTOR

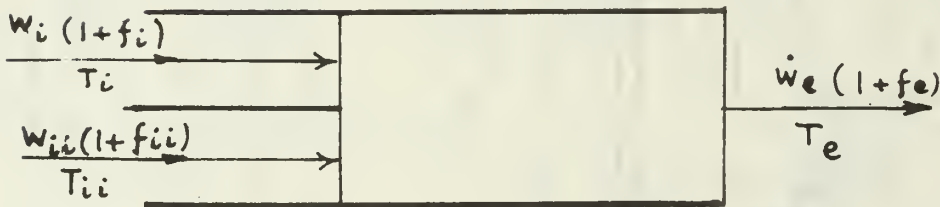


FIG. 3 MIXING PROCESS

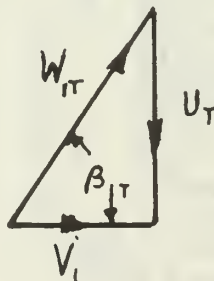


FIG. 4 VELOCITY DIAGRAM AT TIP  
OF LOW COMPRESSOR

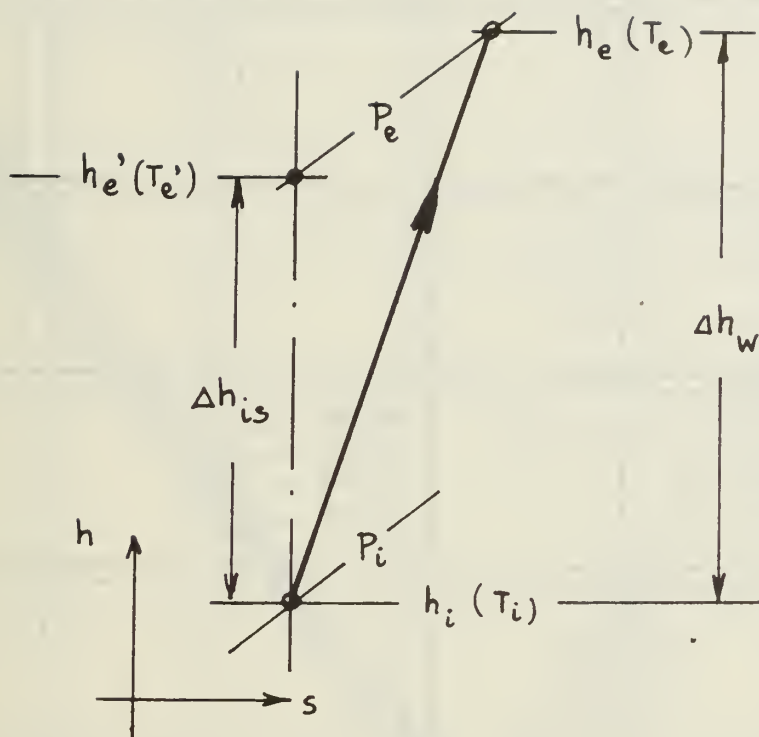


FIG. 5 COMPRESSOR PROCESS

$h$  = total enthalpy  
 $T$  = total temperature  
 $P$  = total pressure

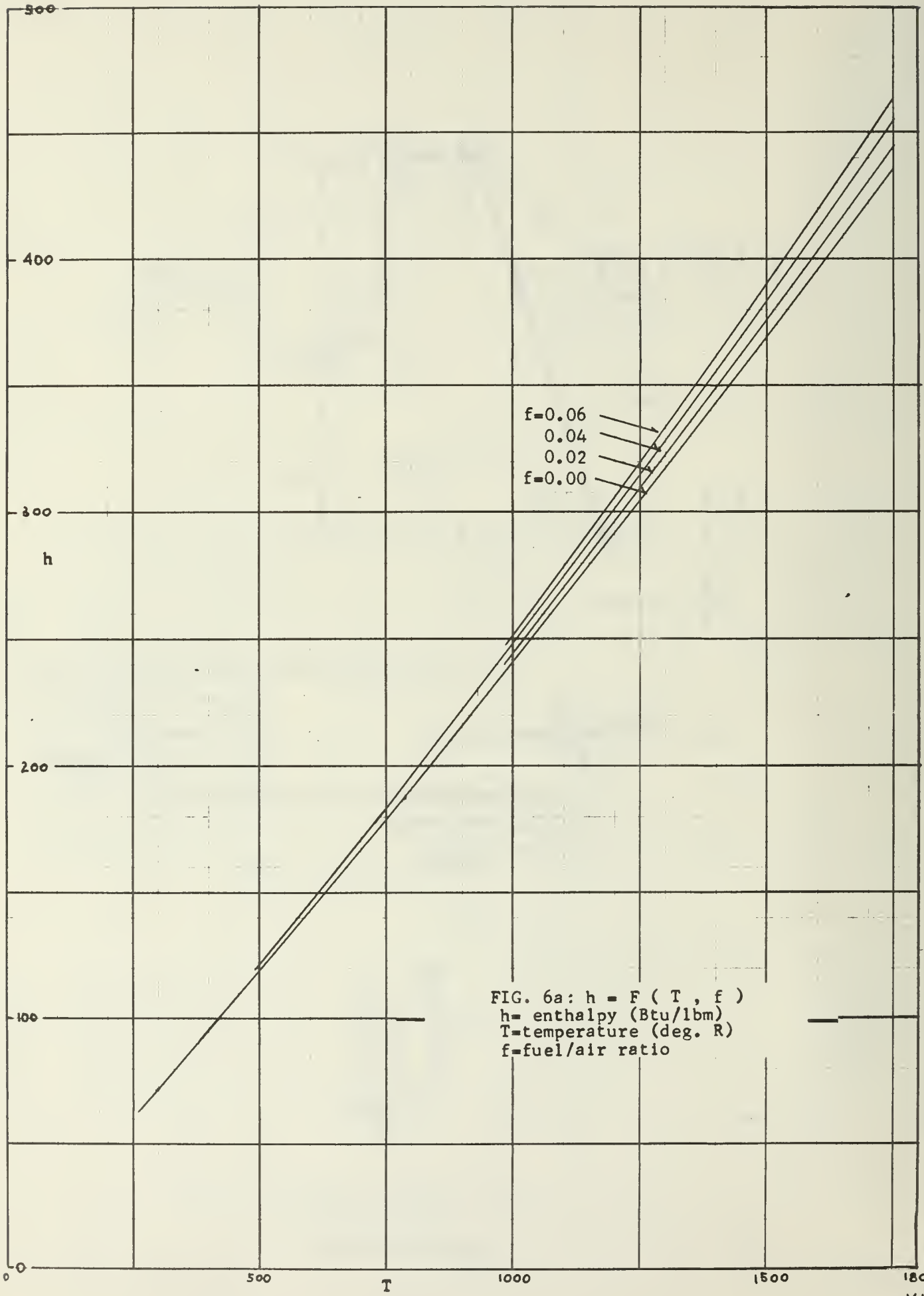
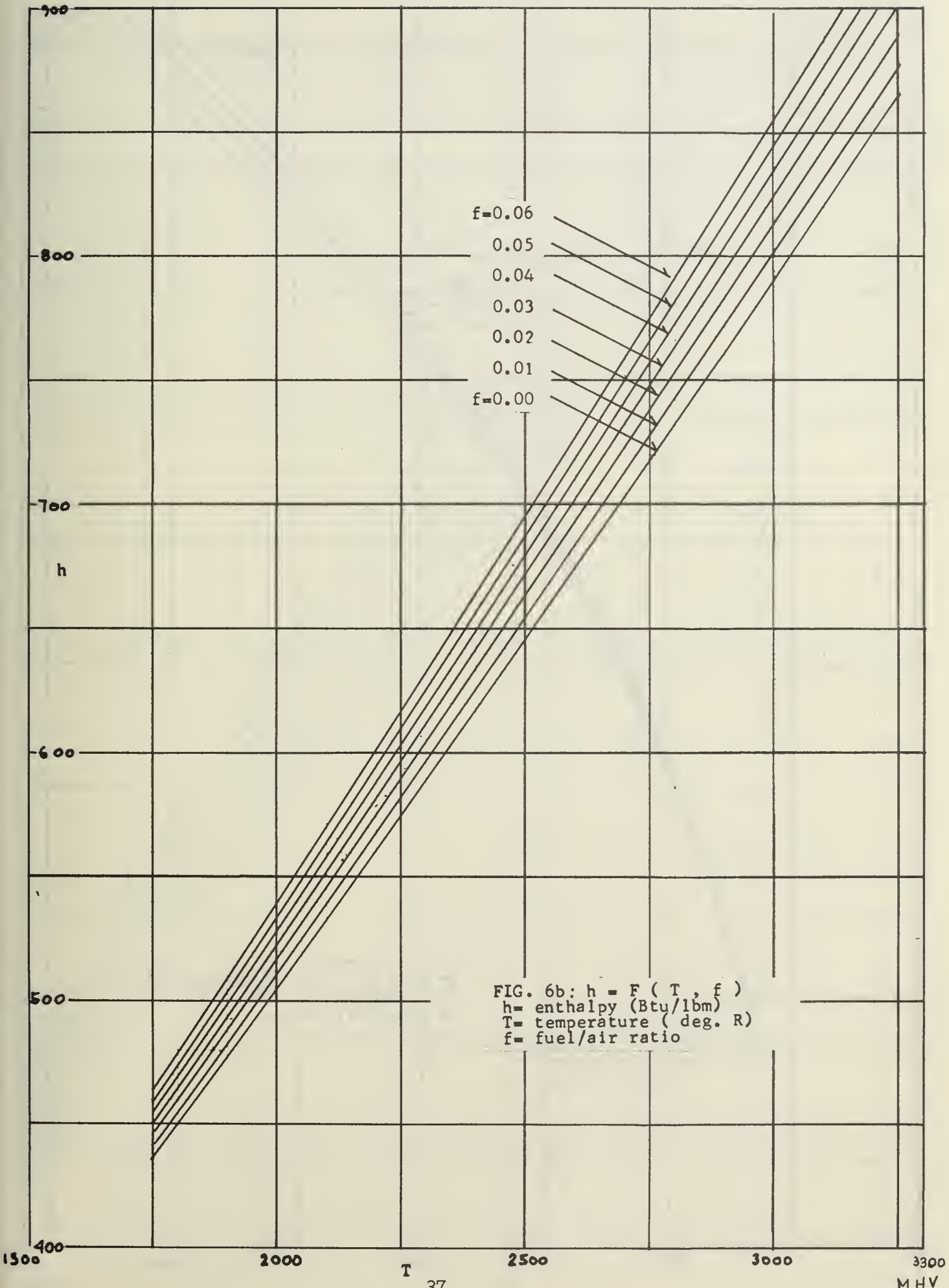


FIG. 6a:  $h = F(T, f)$   
 h= enthalpy (Btu/lbm)  
 T=temperature (deg. R)  
 f=fuel/air ratio



f=0.06  
 0.05  
 0.04  
 0.03  
 0.02  
 0.01  
 f=0.00

FIG. 6b:  $h = F(T, f)$   
 h = enthalpy (Btu/lbm)  
 T = temperature (deg. R)  
 f = fuel/air ratio

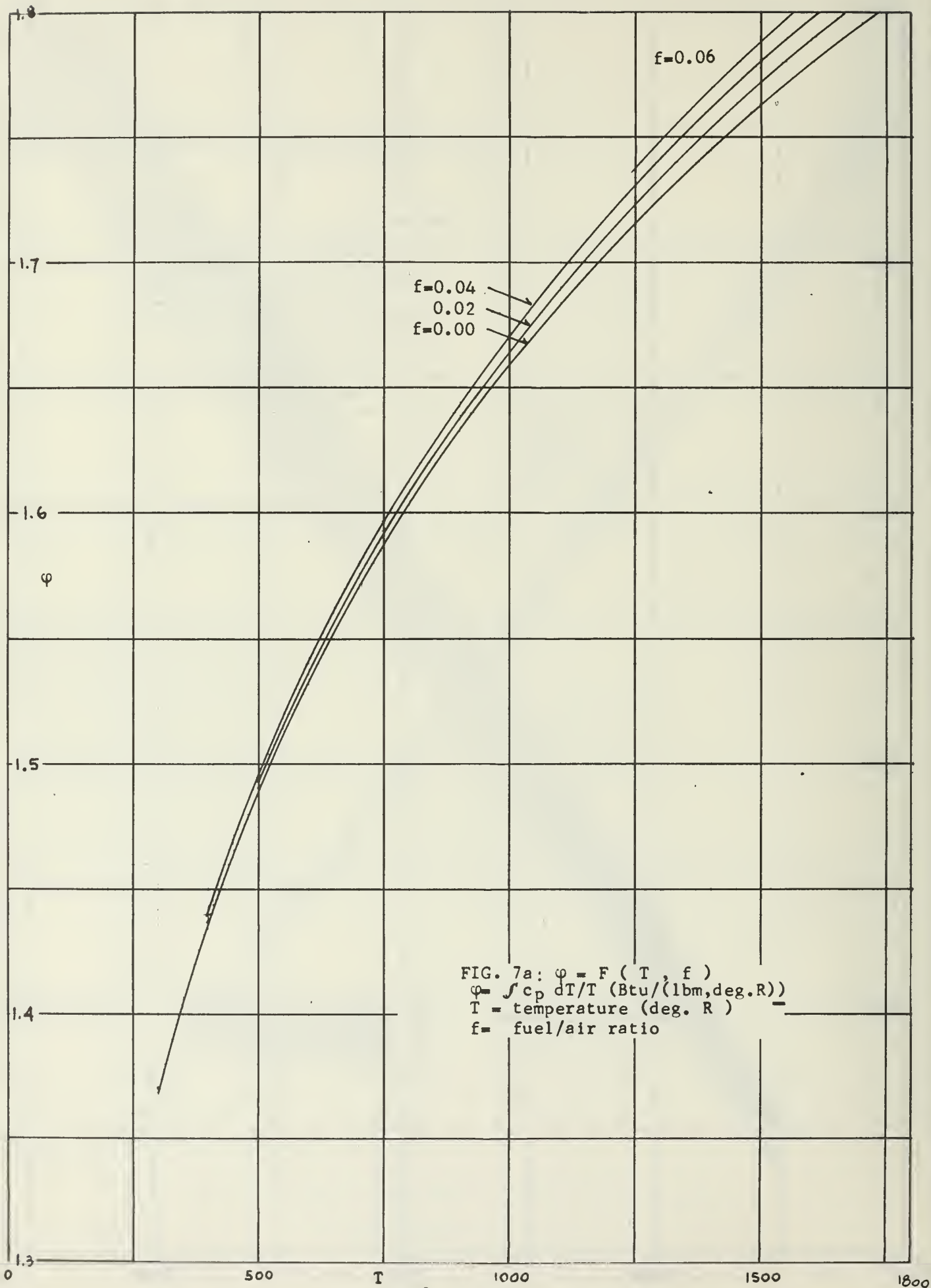


FIG. 7a:  $\phi = F(T, f)$   
 $\phi = \int c_p dT/T$  (Btu/(lbm, deg. R))  
 $T$  = temperature (deg. R)  
 $f$  = fuel/air ratio



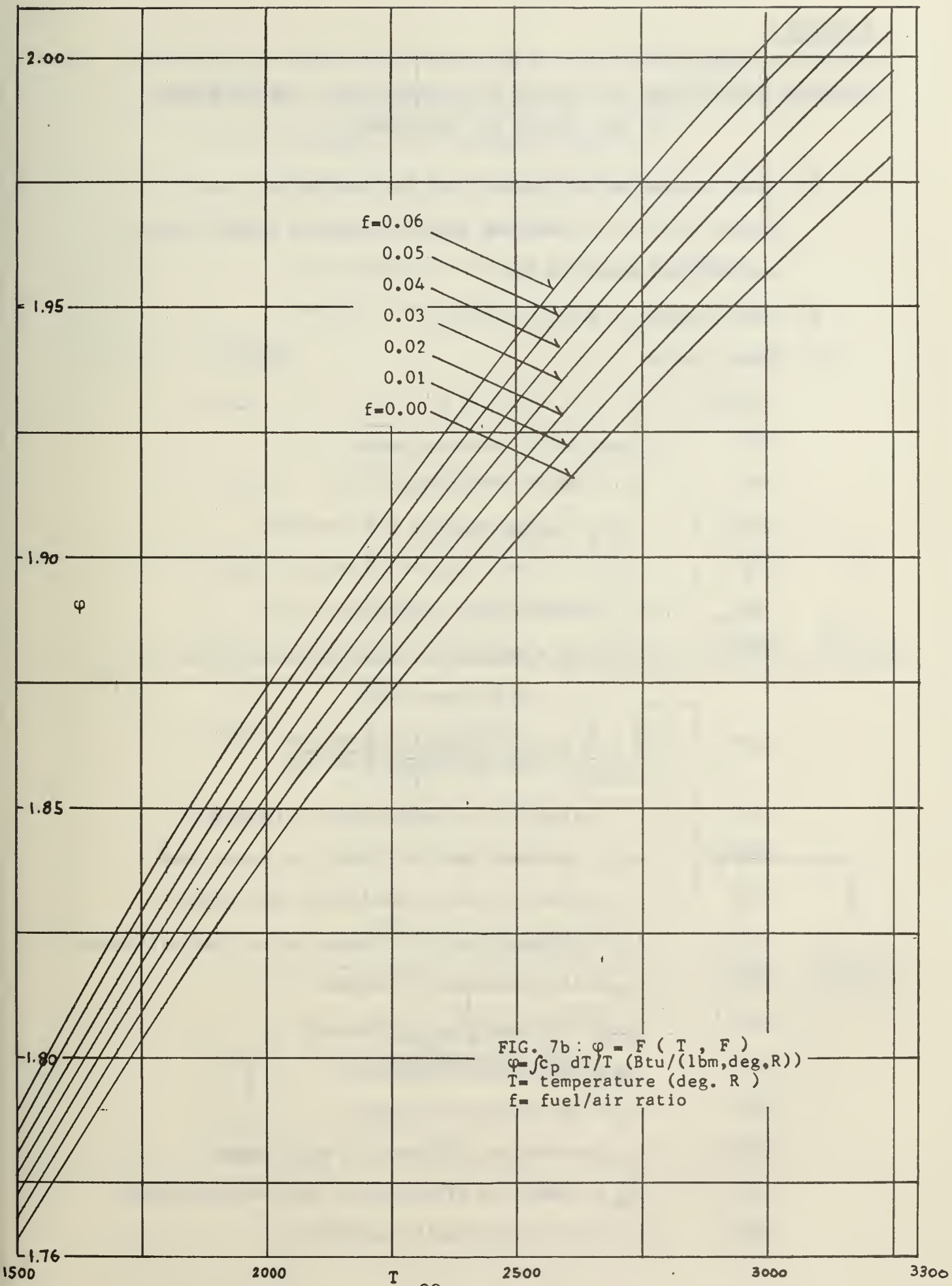


FIG. 7b:  $\phi = F(T, f)$   
 $\phi = \int c_p dT/T$  (Btu/(lbm, deg. R))  
 $T$  = temperature (deg. R)  
 $f$  = fuel/air ratio

APPENDIX A

OPERATING INSTRUCTIONS OF PROGRAMS VA 513 AND VA 514 FOR JET ENGINE  
WITH DUCT BURNER AND AFTERBURNER

- a) Enter Program VA 513 (Sides A and B of one magnetic card) at Branch Point 00. (SENSE and PRINT Switches in "down" position, and GRAD/DEG Switch at DEG)
- b) Start Program at Branch Point 00.
- c) Enter Data

P-COUNT

- 0211  $P_0$  = ambient pressure (psia)
- 0215  $T_0$  = ambient temperature ( $^{\circ}$ R)
- 0219  $P_2/P_1$  = pressure ratio low compressor
- 0223  $P_3/P_1$  = overall compressor pressure ratio
- 0227  $T_4$  = turbine inlet temperature ( $^{\circ}$ R)
- 0231  $T_9 = T_{10}$  = temperature after afterburner and duct burner ( $^{\circ}$ R)
- 0235  $\xi = \frac{\dot{w}_c}{\dot{w}_E} = \frac{\text{Cooling air flow rate}}{\text{High compressor flow rate}}$
- 0239  $\lambda_I$  = pressure loss coefficient in inlet duct
- 0243  $\lambda_{BP}$  = pressure loss coefficient in bypass duct
- 0247  $\lambda_B$  = pressure loss coefficient in main burner
- 0251  $\lambda_{AB}$  = pressure loss coefficient in duct and afterburner
- 0255  $\eta_{LC}$  = low compressor efficiency
- 0259  $\eta_{HC}$  = high compressor efficiency
- 0263  $\eta_{HT}$  = high turbine efficiency
- 0267  $\eta_{LT}$  = low turbine efficiency
- 0271  $\eta_B$  = combustion efficiency of main burner
- 0275  $\eta_{AB}$  = combustion efficiency of duct and afterburner
- 0279  $\psi$  = jet nozzle velocity coefficient

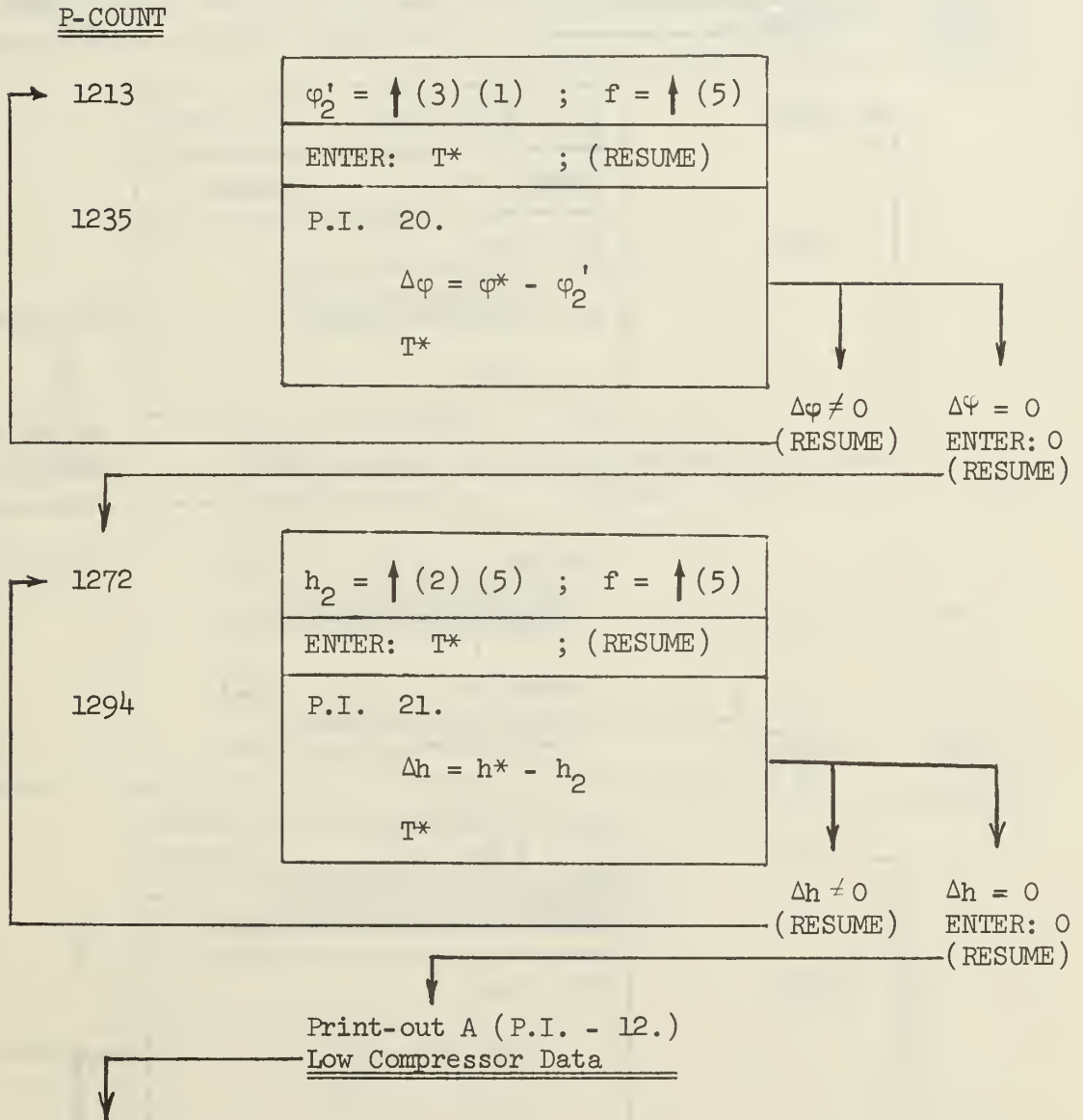
After the last entry the program prints out the above data, in the order listed, with the print identifier - 100.

d) Enter Program VA 514 at Branch Point 00.

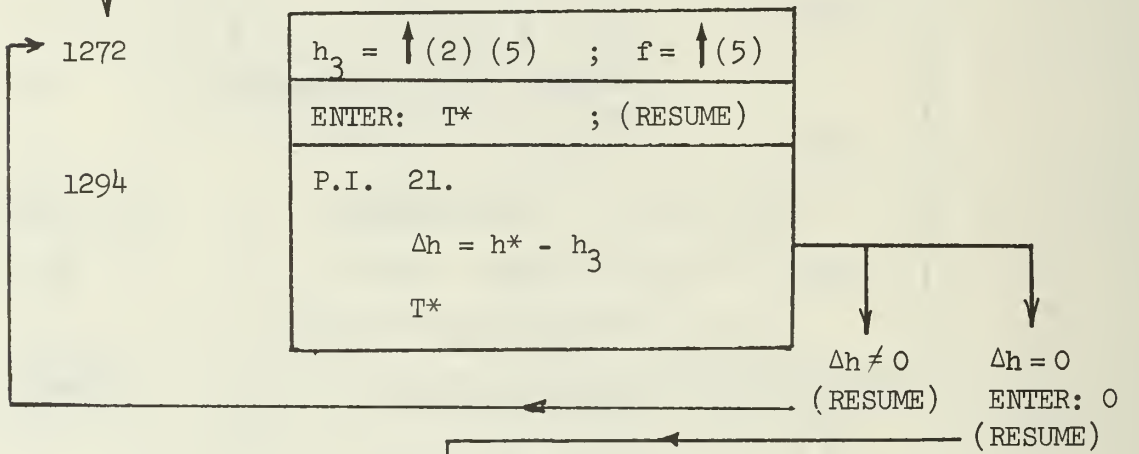
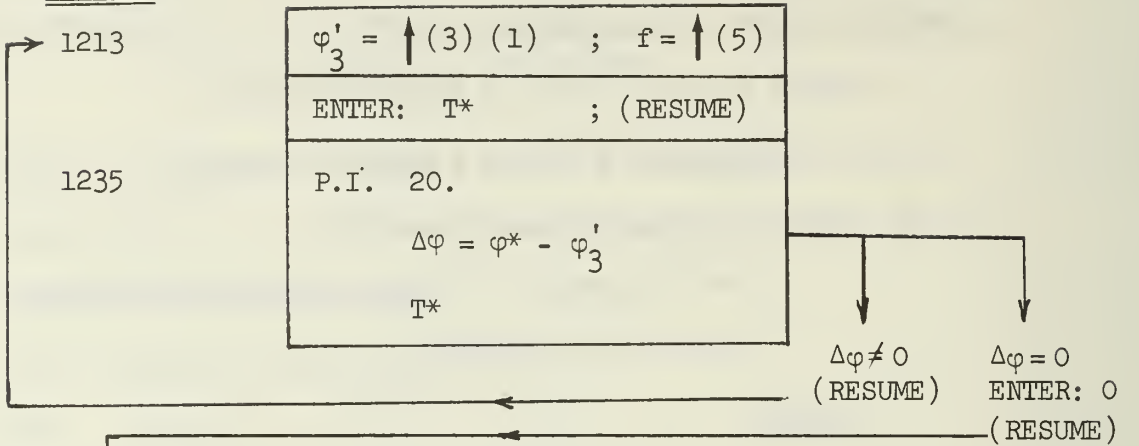
(Sides A and B of 4 magnetic cards)

e) Start Program at Branch Point 00

(For explanation of the iteration procedure see section 13 of report)

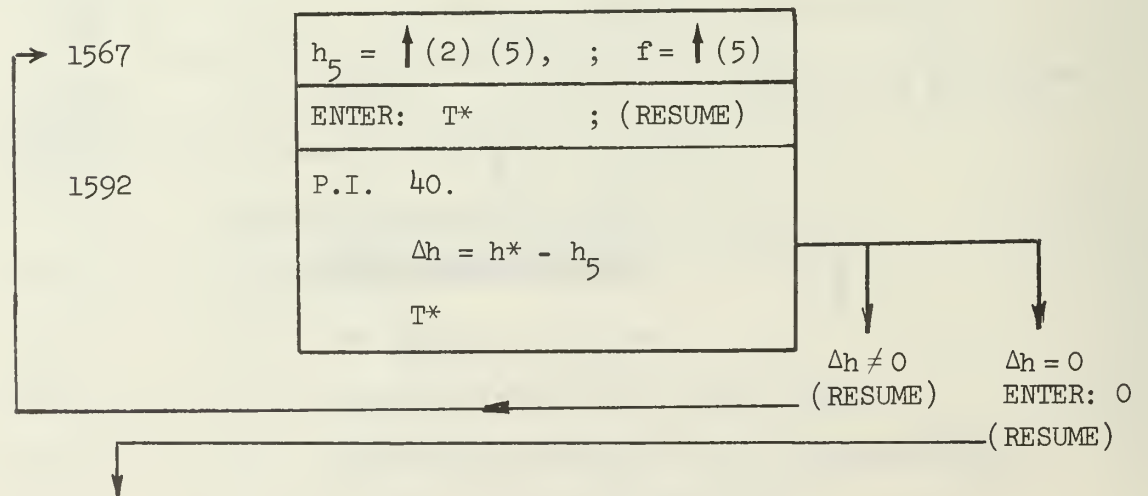


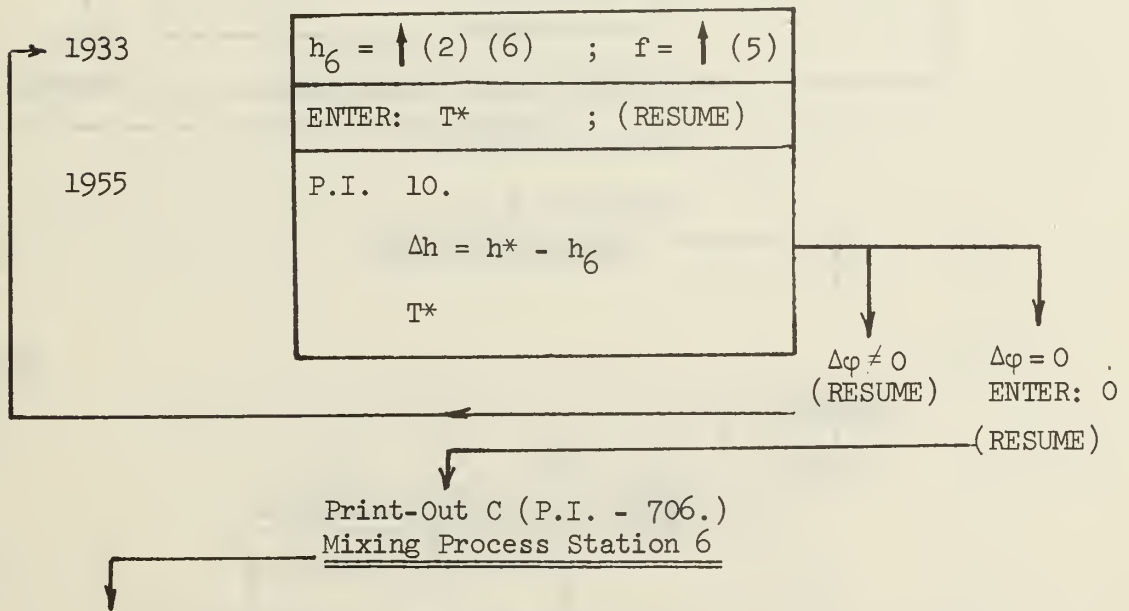
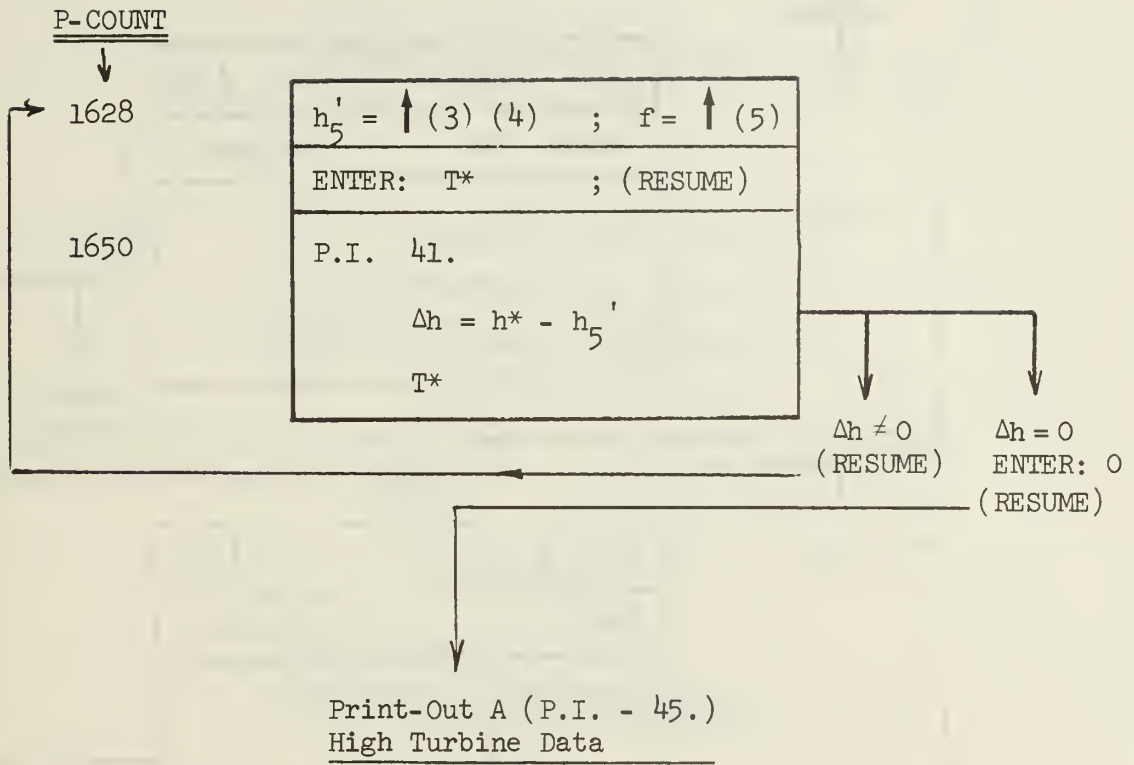
P-COUNT



Print-Out A (P.I. - 23)  
High Compressor Data

Print-Out B (P.I. - 704)  
Main Combustor Data









Print-Out B(P.I. -710.)  
Conditions after Afterburner

Station 10 of Fig. 1

0376 Check of maximum fuel/air ratio  $f_{10}$   
after afterburner (last value of  
above print-out P.I. -710.)

If  $f_{10}$  is ok  
(RESUME)

If  $f_{10}$  is too large  
start with new data  
at step a.)

Print-Out B(P.I. -709.)  
Conditions after Duct Burner

Print-Out C(P.I. -711.)

Conditions at Station 11  
Mixed Duct Burner and  
Afterburner Flows

P-COUNT

1361

1383

$\varphi_{12}' = \uparrow(3) (1) ; f = \uparrow(5)$

ENTER: T\* ; (RESUME)

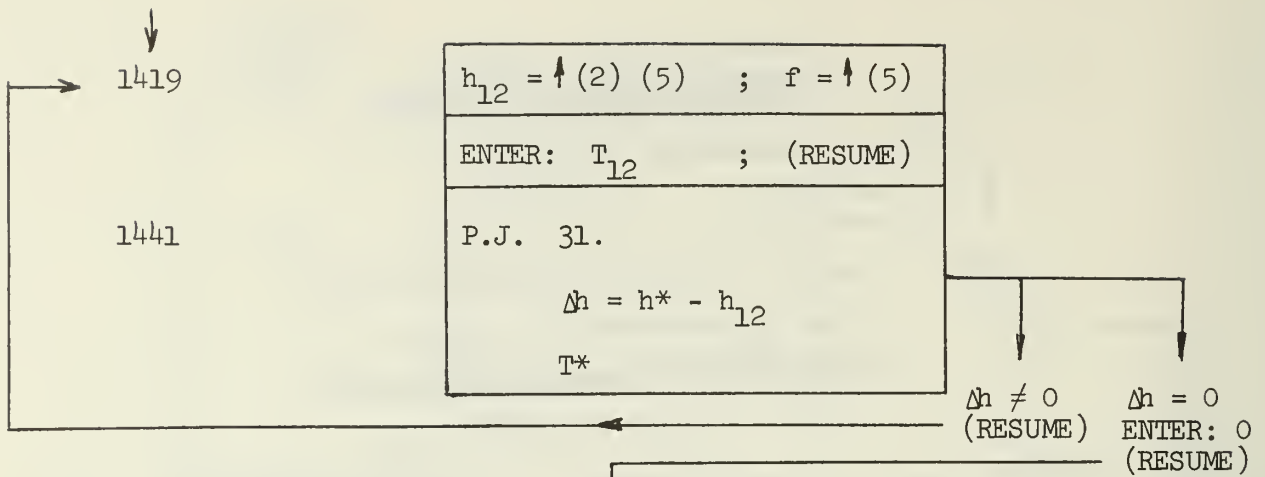
P.I. 30.

$$\Delta\varphi = \varphi^* - \varphi_{12}'$$

T\*

$\Delta\varphi \neq 0$   
(RESUME)

$\Delta\varphi = 0$   
ENTER: 0  
(RESUME)



Print-Out A(P.I. -1,112.)  
Exhaust Nozzle Data

Print-Out (P.I. -200.):

$I_{SP}$  = Specific Impulse (lbf/(lbm/s))

SFC = Specific Fuel Consumption  $\left( \frac{\text{lb fuel/hr}}{\text{lb thrust}} \right)$

b = Bypass Ratio

$M_d$  = Mach Number of Flow at Exit of Jet Nozzle

P-COUNT

Data of first-stage rotor of low compressor:

- 0565 ENTER:  $D_{T1}$  = tip diameter (inches)
- 0579 " :  $r_{h1}$  = hub/tip ratio
- 0587 " :  $K_1$  = blockage factor
- 0595 " :  $\beta_{1T}$  = relative flow angle at tip ( $^\circ$ )
- 0608 " :  $U_T$  = peripheral speed at tip (ft/s)

To 0565

1567

1592

$h_1 = \uparrow (2) (5) \quad ; \quad f = \uparrow (5)$
ENTER: $T^*$ ; (RESUME)
P.I. 40.
$\Delta h = h^* - h_1$
$T^*$

$\Delta h \neq 0$   
(RESUME)

$\Delta h = 0$   
ENTER: 0  
(RESUME)

Print-Out A(P.I. -701.)  
Inlet Duct Data

Print-Out Engine Data (P.I. -300.)

$D_{T1}$

$r_{h1}$

$U_T$

$\beta_{1T}$

$K_1$

see Input above

F = thrust (lbf)

$\dot{w}$  = total air flow rate (lbm/s)

HP<sub>LC</sub> = horse power low compressor (HP)

HP<sub>HC</sub> = horse power high compressor (HP)

M<sub>w1</sub> = Mach number of relative flow at  
tip of first stage of low compressor

Program stops at P-Count 0565 for processing of other sets of data of first-stage rotor of low compressor.

APPENDIX B

OPERATING INSTRUCTIONS OF PROGRAMS VA 513 AND VA 514 FOR JET ENGINE WITHOUT  
DUCT BURNER AND WITHOUT AFTERBURNER.

In the following only the deviations from the procedure of Appendix A are indicated. In step a) ("Enter Data") of Appendix A the following changes must be made:

P-Count

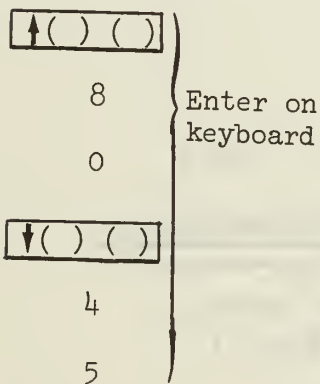
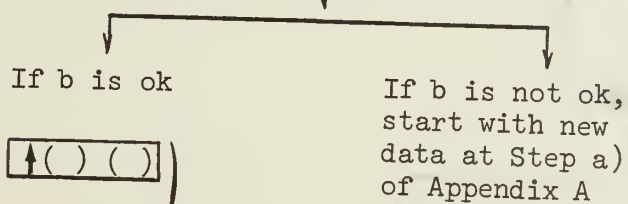
- .
- .
- .
- 0231       $T_9 = T_{10} = 0$
- .
- .
- .
- .
- 0251       $\lambda_{AB}$  (can be zero or not, depending on whether the duct-  
and afterburner is installed, although not operating)
- .
- .
- .
- .
- 0275       $\eta_{AB} = 1.0$  (this value must be 1.0)
- .
- .
- .

The same procedure as in Appendix A must be carried out until P-Count 0332 is reached; that is, until the bypass ratio  $b$  has been printed (P.I. -700). Then, the following steps must be carried out:

P-Count

0332 P.I. -700.

Print-Out of Bypass Ratio  $b$



(RESUME)

Print-Out B(P.I. -710.)

Conditions at Station 10 of Fig. 1 (Identical with those at Station 8)

0376

Check of maximum fuel/air ratio

$f_{10} = f_8$  at stations 8 and 10 (last value of above print-out P.I. -710.)



If  $f_8 = f_{10}$  is ok

If  $f_8 = f_{10}$  is too large,  
start with new data at  
Step a) of Appendix A

↑ ( ) ( )

8 } Enter on  
3 } keyboard

↓ ( ) ( )

2  
5

(RESUME)

Print-out B(P.I. -709.)

Conditions after Duct Burner

(Identical with those at  
Station 2 of Fig. 1)

1933

1955

$h_{11} = \uparrow (2) (6) ; f = \uparrow (5)$

ENTER:  $T^*$  ; (RESUME)

P.J. 10.

$$\Delta h = h^* - h_{11}$$

$T^*$

$\Delta h \neq 0$   
(RESUME)

$\Delta h = 0$   
ENTER: 0  
(RESUME)

Print-out C(P.I. -711)

Conditions at Station 11  
Mixed Bypass and Engine Flow

(Continue with procedure of Appendix A at P-Count 1361)

(Iteration of  $T_{12}'$  for  $\phi_{12}'$ )



APPENDIX C.      LISTING OF PROGRAMS

Program VA 513 (7 pages)

Program VA 514 (40 pages)

Contents Scratch Pad Registers (1 page)

Contents Main Data Registers (3 pages)

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
0	0	.				
1		2				
2		4				
3		0				
4		6				
5		2	C <sub>1</sub>			
6		↓( ) ( )				
7		0				
8		1			C <sub>1</sub> → 01	
9		.	←			
1	0	1				
1		7				
2		7				
3		2				
4		4				
5		EXP				
6		CHSGN				
7		4	C <sub>2</sub>			
8		↓( ) ( )				
9		0				
2	0	2	←		C <sub>2</sub> → 02	
1		.				
2		3				
3		8				
4		0				
5		5				
6		6				
7		EXP				
8		CHSGN				
9		7	C <sub>3</sub>			
3	0	↓( ) ( )				
1		0				
2		3			C <sub>3</sub> → 03	
3		.	←			
4		1				
5		2				
6		6				
7		6				
8		2				
9		EXP				
4	0	CHSGN				
1		1				
2		0	C <sub>4</sub>			
3		↓( ) ( )				
4		0				
5		4			C <sub>4</sub> → 04	
6		.	←			
7		1				
8		3				
9		0				

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
5	0	1				
	1	2				
	2	EXP				
	3	CHSGN				
	4	1				
	5	4	C <sub>5</sub>			
	6	↓( ) ( )				
	7	0				
	8	5				
	9	.	←		C <sub>5</sub> → 05	
6	0	2				
	1	2				
	2	0				
	3	9				
	4	1	D <sub>1</sub>			
	5	↓( ) ( )				
	6	1				
	7	1				
	8	.	←		D <sub>1</sub> → 11	
	9	5				
7	0	1				
	1	8				
	2	2				
	3	2	1			
	4	EXP				
	5	CHSGN				
	6	3	D <sub>2</sub>			
	7	↓( ) ( )				
	8	1				
	9	2				
			←		D <sub>2</sub> → 12	
8	0	.				
	1	1				
	2	9				
	3	4				
	4	6				
	5	2				
	6	EXP				
	7	CHSGN				
	8	6	D <sub>3</sub>			
	9	↓( ) ( )				
9	0	1				
	1	3	←		D <sub>3</sub> → 13	
	2	.				
	3	4				
	4	5				
	5	0				
	6	8				
	7	9				
	8	EXP				
	9	CHSGN				

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
10	0	1				
	1	0	D <sub>4</sub>			
	2	↓( ) ( )				
	3	1				
	4	4	←		D <sub>4</sub> → 14	
	5	.				
	6	4				
	7	3				
	8	2				
	9	7				
11	0	5				
	1	EXP				
	2	CHSGN				
	3	1				
	4	4				
	5	↓( ) ( )				
	6	1				
	7	5	←		D <sub>5</sub> → 15	
	8	5				
	9	.				
12	0	0				
	1	3				
	2	5				
	3	2				
	4	3				
	5	3				
	6	EXP				
	7	CHSGN				
	8	1	J/R = 778.16/1545.43			
	9	↓( ) ( )				
13	0	0				
	1	0	←		J/R → 00	
	2	3				
	3	.				
	4	4				
	5	5				
	6	2				
	7	2				
	8	EXP				
	9	CHSGN				
14	0	2	a = .034522			
	1	↓( ) ( )				
	2	0				
	3	6			a → 06	
	4	3				
	5	.				
	6	5				
	7	6				
	8	4				
	9	8				



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
15	0	EXP				
	1	CHSGN				
	2	2	$b = .035648$			
	3	↓( ) ( )				
	4	0				
	5	7	←		$b \rightarrow 07$	
	6	1				
	7	.				
	8	8				
	9	4				
16	0	EXP				
	1	4	$LHV = 18400$			
	2	↓( ) ( )				
	3	0				
	4	8	←		$LHV \rightarrow 08$	
	5	2				
	6	6				
	7	0	$h_f = 260$			
	8	↓( ) ( )				
	9	0				
17	0	9	←		$h_f \rightarrow 09$	
	1	7				
	2	7				
	3	8				
	4	.				
	5	1				
	6	6	J			
	7	↓( ) ( )				
	8	1				
	9	0	←		$J \rightarrow 10$	
18	0	x				
	1	2				
	2	x	2J			
	3	3				
	4	2				
	5	.				
	6	1				
	7	7				
	8	4	q		q	
	9	↓( ) ( )				
19	0	1				
	1	6			$q \rightarrow 16$	
	2	=	2qJ			
	3	↓( ) ( )				
	4	1				
	5	8			$2qJ \rightarrow 18$	
	6	↑( ) ( )				
	7	1				
	8	0	J			
	9	÷				



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
200		5				
	1	5				
	2	0				
	3	=	J/550			
	4	↓( ) ( )				
	5	1				
	6	7			J/550 → 17	
	7	SET D.P				
	8	4				
	9	EC 377	NO OP			
210		HALT	P <sub>0</sub> (P <sub>014</sub> )	P <sub>0</sub>		
	1	↓( ) ( )				
	2	4				
	3	0			P <sub>0</sub> → 40	
	4	HALT	T <sub>0</sub> (°R)	T <sub>0</sub>		
	5	↓( ) ( )				
	6	4				
	7	1			T <sub>0</sub> → 41	
	8	HALT	P <sub>2</sub> /P <sub>1</sub>	P <sub>2</sub> /P <sub>1</sub>		
	9	↓( ) ( )				
220		4				
	1	2			P <sub>2</sub> /P <sub>1</sub> → 42	
	2	HALT	P <sub>3</sub> /P <sub>1</sub>	P <sub>3</sub> /P <sub>1</sub>		
	3	↓( ) ( )				
	4	4				
	5	3			P <sub>3</sub> /P <sub>1</sub> → 43	
	6	HALT	T <sub>4</sub> (°R)	T <sub>4</sub>		
	7	↓( ) ( )				
	8	4				
	9	4			T <sub>4</sub> → 44	
230		HALT	T <sub>9</sub> = T <sub>10</sub> (°R)	T <sub>9</sub> = T <sub>10</sub>		
	1	↓( ) ( )				
	2	4				
	3	5			T <sub>9</sub> = T <sub>10</sub> → 45	
	4	HALT	ξ	ξ		
	5	↓( ) ( )				
	6	4				
	7	6			ξ → 46	
	8	HALT	λ <sub>I</sub>	λ <sub>I</sub>		
	9	↓( ) ( )				
240		4				
	1	7			λ <sub>I</sub> → 47	
	2	HALT	λ <sub>BP</sub>	λ <sub>BP</sub>		
	3	↓( ) ( )				
	4	4				
	5	8			λ <sub>BP</sub> → 48	
	6	HALT	λ <sub>B</sub>	λ <sub>B</sub>		
	7	↓( ) ( )				
	8	4				
	9	9			λ <sub>B</sub> → 49	

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
25	0	HALT	$\lambda_{DB} = \lambda_{AB}$	$\lambda_{DB} = \lambda_{AB}$		
	1	$\downarrow()()$				
	2	5				
	3	0			$\lambda_{AB} \rightarrow 50$	
	4	HALT	$\eta_{LC}$	$\eta_{LC}$		
	5	$\downarrow()()$				
	6	5				
	7	1			$\eta_{LC} \rightarrow 51$	
	8	HALT	$\eta_{HC}$	$\eta_{HC}$		
	9	$\downarrow()()$				
26	0	5				
	1	2			$\eta_{HC} \rightarrow 52$	
	2	HALT	$\eta_{HT}$	$\eta_{HT}$		
	3	$\downarrow()()$				
	4	5				
	5	3			$\eta_{HT} \rightarrow 53$	
	6	HALT	$\eta_{LT}$	$\eta_{LT}$		
	7	$\downarrow()()$				
	8	5				
	9	4			$\eta_{LT} \rightarrow 54$	
27	0	HALT	$\eta_B$	$\eta_B$		
	1	$\downarrow()()$				
	2	5				
	3	5			$\eta_B \rightarrow 55$	
	4	HALT	$\eta_{AB}$	$\eta_{AB}$		
	5	$\downarrow()()$				
	6	5				
	7	6			$\eta_{AB} \rightarrow 56$	
	8	HALT	$\psi_N$	$\psi_N$		
	9	$\downarrow()()$				
28	0	5				
	1	7			$\psi_N \rightarrow 57$	
	2	EC 176	1 LINE OF DOTS			
	3	ADVANCE				
	4	4				
	5	1	POINTER 41			
	6	$\downarrow()()$				
	7	5				
	8	9	STORE PT. 41 in 59			
	9	$\downarrow()$				
29	0	.	SET UP PT 41			
	1	$\uparrow()()$				
	2	4				
	3	0	$P_0$			
	4	1	$\uparrow$			
	5	0	PRINT IDENTIFIER -100.			
	6	0				
	7	.				
	8	CHSGN				
	9	EC 177	$\downarrow$			100.

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
3 0 0		PRINT A				P <sub>0</sub>
1	✓	IND/SYMB	↑ SYMBOL. ADDRESS ✓			
2		✓	↓			
3		↑ ( ) ( )	↑ RCL & PRINT ACCORDING TO			
4		IND/SYMB	↓ POINTER			
5		PRINT A				
6		1	1 ↑			
7		↑ ( ) ( )	ADD 1 TO POINTER STR(E)			
8		+				
9		5				
3 1 0		9				
1		↓ ( ) ( )				
2		5				
3		9	STR NEW POINTER IN REG. 59		PT → 59	
4		↓ ( )				
5		.	SET UP NEW POINTER			
6		-				
7		5				
8		8				
9		=	NEW POINTER - 59			
3 2 0		JUMP				
1		=				
2		IND/SYMB				
3		÷				
4		JUMP				
5		IND/SYMB				
6		✓				
7	÷	IND/SYMB				
8		÷				
9		SET D.P.				
3 3 0		6	SET D.P. TO 6 FOR VA 514			
1	EC	176	1 LINE OF DOTS			....
2		HALT	CHECK OF INPUT DATA			
3						
4						
5						
6						
7						
8						
9						
3 4 0						
1						
2						
3						
4						
5						
6						
7						
8						
9						



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
000		↑( ) ( )				
1		4				
2		1	$T_0$			
3		↓( ) ( )				
4		2				
5		1			$T_0 \rightarrow 21$	
6		↑( ) ( )				
7		4				
8		2	$P_2/P_1$			
9		↓( ) ( )				
010		2				
1		0			$P_2/P_1 \rightarrow 20$	
2		↑( ) ( )				
3		5				
4		1	$\eta_{LC}$			
5		↓( ) ( )				
6		2				
7		3	-		$\eta_{LC} \rightarrow 23$	
8		1	↑			
9		2				
020		.				
1		CHSGN	PRINT IDENTIF. -12 FOR LC			
2		↓( ) ( )	STR (36)			
3		3				
4		6	↓		$PI \rightarrow 36$	
5	EC	016	SET FLAG 1			
6	EC	377	NO OP.			
7		JUMP	GO TO SUBROUTINE ÷ COMPRESSOR (LC)			
8		IND/SYM				-12
9		÷				LC DATA
030	EC 040	IND/SYM	SYMB. ADDRESS EC 040			
1	EC	040				
2	EC	166	RESET FLAG 1			
3		↑( ) ( )				
4		2				
5		6	$h_2 - h_1$			
6		↓( ) ( )				
7		7				
8		0			$h_2 - h_1 \rightarrow 70$	
9		↑( ) ( )				
040		2				
1		4	$T_2$			
2		↓( ) ( )				
3		8				
4		3			$T_2 \rightarrow 83$	
5		↓( ) ( )				
6		2				
7		1			$T_2 \rightarrow 21$	
8		↑( ) ( )				
9		4				

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
050		3	$P_3/P_1$			
1		$\div$				
2		$\uparrow()$				
3		4				
4		2	$P_2/P_1$			
5		=	$P_3/P_2$			
6		$\downarrow()$				
7		2				
8		0				
9		$\uparrow()$			$P_3/P_2 \rightarrow 20$	
060		5				
1		2	$\eta_{HC}$			
2		$\downarrow()$				
3		2				
4		3				
5		2			$\eta_{HC} \rightarrow 23$	
6		3	PRINT IDENTIF. -23. FOR HC			
7		.	STR(36)			
8		CHSGN				
9		$\downarrow()$				
070		3				
1		6			$PI \rightarrow 36$	
2		JUMP	$\uparrow$ GO TO SUBROUTINE $\div$ "COMPRESSOR" (HC)			
3		IND/SYM				
4		$\div$				-23 HC DATA
5	EC 041	IND/SYMB				
6	EC	041				
7		$\uparrow()$				
8		2				
9		6	$h_3-h_2$			
080		$\downarrow()$				
1		7				
2		1			$h_3-h_2 \rightarrow 71$	
3		$\uparrow()$				
4		2				
5		4	$T_3$			
6		$\downarrow()$				
7		7				
8		2			$T_3 \rightarrow 72$	
9		$\downarrow()$				
090		2				
1		0			$T_3 = T_i \rightarrow 20$	
2		0	0			
3		$\downarrow()$				
4		2			$f_i = 0 \rightarrow 21$	
5		1	$f_i = 0$			
6		$\uparrow()$				
7		4				
8		4	$T_4 = T_e$			
9		$\downarrow()$				



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
100		2				
1		5			$T_4 = T_c \rightarrow 25$	
2		$\uparrow()()$				
3		5				
4		5	$\eta_B$			
5		$\downarrow()()$				
6		2			$\eta_B \rightarrow 22$	
7		2				
8		7	$\uparrow$			
9		0				
110		4	PRINT IDENTIF. -704 FOR			
1		CHSGN	MAIN BURNER EXIT			
2		$\downarrow()()$				
3		2				
4		9			$PI \rightarrow 29$	
5		BRANCH	$\uparrow$ CALL SUBROUTINE "BURNER"			
6		IND/SYMB	FOR MAIN COMBUSTOR			-704
7		$a^x$	$\downarrow$			PRINT
8		$\uparrow()()$				
9		2				
120		7	$\Delta f = f_{B'}$			
1		$\downarrow()()$				
2		7				
3		3			$f_{B'} \rightarrow 73$	
4		$\downarrow()()$				
5		2				
6		7			$f_{B'} \rightarrow 27$	
7		+				
8		1				
9		x	$1 + f_{B'}$			
130		(				
1		1				
2		-				
3		$\uparrow()()$				
4		4				
5		6	$\xi$			
6		)	$1 - \xi$			
7		=	$(1 + f_{B'})(1 - \xi)$			
8		INV				
9		x				
140		$\uparrow()()$				
1		7				
2		1	$h_3 - h_2$			
3		=	$\Delta h = h_4 - h_5$			
4		$\downarrow()()$				
5		2				
6		6			$h_4 - h_5 \rightarrow 26$	
7		$\uparrow()()$				
8		5				
9		3	$\eta_{HT}$			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
150		↓( ) ( )				
1		2				
2		3			HT → 23	
3		4	↑			
4		5	PRINT IDENTIF. -45 FOR HT			
5		CHSGN	STR(36)			
6		↓( ) ( )				
7		3				
8		6	↓		PJ → 36	
9		↑( ) ( )				
160		4				
1		4	T <sub>4</sub>			
2		↓( ) ( )				
3		2				
4		1			T <sub>4</sub> → 21	
5	EC	016	SET FLAG 1			
6		JUMP	↑			
7		IND/SYMB	GO TO SUBROUTINE HT			-45
8		π/e	↓			DATA
9	EC042	IND/SYMB	SYMB. ADDRESS EC 042			
170		EC 042				
1		EC 166	RESET FLAG 1			
2		↑( ) ( )				
3		2				
4		0	P <sub>5</sub> /P <sub>4</sub>			
5		↓( ) ( )				
6		7				
7		4			P <sub>5</sub> /P <sub>4</sub> → 74	
8		↑( ) ( )				
9		2				
180		4	T <sub>5</sub>			
1		↓( ) ( )				
2		7				
3		5			T <sub>5</sub> → 75	
4		↓( ) ( )				
5		2				
6		0			T <sub>5</sub> = T <sub>i</sub> → 20	
7		↑( ) ( )				
8		7				
9		3	f <sub>B</sub> '			
190		↓( ) ( )				
1		2				
2		1			f <sub>i</sub> = f <sub>B</sub> ' → 21	
3		↑( ) ( )				
4		7				
5		2	T <sub>3</sub>			
6		↓( ) ( )				
7		2				
8		2			T <sub>3</sub> = T <sub>ii</sub> → 22	
9		0	0			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
2 0	0	↓( ) ( )				
	1	2				
	2	3				$f_{ii}=0 \rightarrow 23$
	3	↑( ) ( )				
	4	4				
	5	6	$\xi$			
	6	÷				
	7	(				
	8	1	$\xi - 1$			
	9	-				
2 1	0	↑( ) ( )				
	1	4				
	2	6	$\xi$			
	3	)	$1 - \xi$			
	4	=	$\xi = \xi / (1 - \xi)$			
	5	↓( ) ( )				
	6	2				
	7	7				$\xi \rightarrow 27$
	8	7	↑			
	9	0				
2 2	0	6	PRINT IDENTIF. - 706			
	1	CHSGN	FOR STATION 6			
	2	↓( ) ( )	STR (29)			
	3	2				
	4	9	↓			$PI \rightarrow 29$
	5	EC 016	SET FLAG 1			
	6	JUMP	↑ GO TO SUBROUTINE "MIXING" FOR			
	7	IND/SYMB	↓ STATION 6 AFTER HT			
	8	$\Phi$	↓			
	9	EC 043	IND/SYMB ↑ SYMBOL. ADDRESS EC 043			
2 3	0	EC 043	↓			
	1	EC 166	RESET FLAG 1			
	2	↑( ) ( )				
	3	2				
	4	5	$T_6$			
	5	↓( ) ( )				
	6	2				
	7	1				$T_6 = T_i \rightarrow 21$
	8	↑( ) ( )				
	9	2				
2 4	0	8	$f_B = f_e$			
	1	↓( ) ( )				
	2	2				$f_B = f_e \rightarrow 27$
	3	7				
	4	↑( ) ( )				
	5	5				
	6	4	$\eta_{LT}$			
	7	↓( ) ( )				
	8	2				
	9	3				$\eta_e = \eta_{LT} \rightarrow 23$



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
250		1	1			
		-				
		f()()				
		4				
		8	λBP			
		÷	1-λBP			
		(				
		1	1			
		-				
		f()()				
260		4				
		9	λB			
		)	1-λB			
		x				
		f()()				
		4				
		2	P <sub>2</sub> /P <sub>1</sub>			
		÷				
		f()()				
		4				
270		3	P <sub>3</sub> /P <sub>1</sub>			
		÷				
		f()()				
		7				
		4	P <sub>5</sub> /P <sub>4</sub>			
		=	P <sub>8</sub> /P <sub>5</sub>			
		↓()()				
		7				
		6				P <sub>8</sub> /P <sub>5</sub> → 76
		↓()()				
280		2				
		0				P <sub>8</sub> /P <sub>5</sub> → 20
		6	↑			
		8	PRINT IDENTIF. - 68 FOR LT			
		CHSGN				
		↓()()				
		3				
		6	↓			
						PI → 36
	EC 016		SET FLAG 1			
	JUMP		GO TO SUBROUTINE "EXPANS."			
290		IND/SYMB	FOR LT			-68 PRINT
		x				
	EC 044	IND/SYMB	SYMBOL. ADDRESS EC 044			
	EC 04A					
	EC 166		RESET FLAG 1			
		f()()				
		2				
		6	h <sub>6</sub> -h <sub>8</sub>			
		↓()()				
		7				

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
30	0	8				
	1	x				
	2	(				
	3	1	1			
	4	+				
	5	↑()()				
	6	2				
	7	7	$f_B$			
	8	↓()()				
	9	7				
31	0	7			$f_B \rightarrow 77$	
	1	↓()()				
	2	2				
	3	1			$f_B \rightarrow 21$	
	4	)	$1 + f_B$			
	5	÷				
	6	↑()()				
	7	7				
	8	0	$h_2 - h_1$			
	9	-				
32	0	1				
	1	=	b			
	2	↓()()				
	3	7				
	4	9			$b \rightarrow 79$	
	5	7	↑			
	6	0	↑			
	7	0	P.I. - 700.			
	8	CHSGM	↓			
	9	EC 177				-100.
33	0	PRINTA				b
	1	HALT	Check b: Without AB: ↑(8)(0) ↓(4)(5)			
	2	↑()()				
	3	2				
	4	4	$T_B$			
	5	↓()()				
	6	8				
	7	0			$T_B \rightarrow 80$	
	8	↓()()				
	9	2				
34	0	0			$T_B = T_i \rightarrow 20$	
	1	↑()()				
	2	5				
	3	6	$\eta_{AB}$			
	4	↓()()				
	5	2				
	6	2			$\eta_{AB} \rightarrow 22$	
	7	↑()()				
	8	4				
	9	5	$T_9$			



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
350		↓( ) ( )				
1		2				
2		5			$T_e = T_9 \rightarrow 25$	
3		7	↑			
4		1	P.I. -710.			
5		0	CONDITIONS STATION 10			
6		CHSGN	AFTER A.B.			
7		↓( ) ( )				
8		2				
9		9	↓		P.I. → 29	
360		BRANCH	↑ CALL S.R. "BURNER", a <sup>x</sup>			
1		IND/SYMB	FOR AB.			-710 DATA
2		a <sup>x</sup>	↓			
3		↑( ) ( )				
4		2				
5		7	Δf <sub>AB</sub>			
6		↓( ) ( )				
7		8				
8		1			Δf <sub>AB</sub> → 81	
9		↑( ) ( )				
370		2				
1		8	f <sub>e</sub>			
2		↓( ) ( )				
3		8				
4		2			f <sub>e</sub> → 82	
5		HALT	CHECK f <sub>max</sub> ? Without AB: ↑(8)(3) ↓(2)(5)			
6		↑( ) ( )				
7		8				
8		3	T <sub>2</sub> = T <sub>i</sub>			
9		↓( ) ( )				
380		2				
1		0			T <sub>2</sub> = T <sub>i</sub> → 20	
2		0	f <sub>i</sub> = 0			
3		↓( ) ( )				
4		2				
5		1			0 = f <sub>i</sub> → 21	
6		7	↑			
7		0	P.I. -709			
8		9	CONDITIONS STATION 9			
9		CHSGN	AFTER DUCT BURNER			
390		↓( ) ( )				
1		2				
2		9	↓		P.I. → 29	
3		BRANCH	↑ CALL S.R. "BURNER", a <sup>x</sup>			
4		IND/SYMB	FOR D.B.			-709 DATA
5		a <sup>x</sup>	↓			
6		↑( ) ( )				
7		2				
8		8	f <sub>DB</sub>			
9		↓( ) ( )				

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
4 0 0		2		$f_{DB} = f_{ii} \rightarrow 23$		
	1	3				
	2	$\uparrow()()$				
	3	8				
	4	2	$f_B + f_{AB}$			
	5	$\downarrow()()$				
	6	2		$f_B + f_{AB} = f_i \rightarrow 21$		
	7	1				
	8	$\uparrow()()$				
	9	4				
4 1 0		5	$T_9 = T_{10}$			
	1	$\downarrow()()$				
	2	2		$T_9 = T_i \rightarrow 20$		
	3	0	$T_i = T_9$			
	4	$\uparrow()()$				
	5	2				
	6	5	$T_e$ from S.R. D.B = $T_{ii}$			
	7	$\downarrow()()$				
	8	2				
	9	2		$T_{ii} \rightarrow 22$		
4 2 0		7	$\uparrow$			
	1	1	P.I. -711			
	2	1	CONDITIONS STATION II			
	3	CHSGN	MIXED AB & DB FLOWS			
	4	$\downarrow()()$				
	5	2				
	6	9	$\downarrow$	$P.I \rightarrow 29$		
	7	$\uparrow()()$				
	8	7				
	9	9	$b = \zeta$			
4 3 0		$\downarrow()()$				
	1	2				
	2	7		$b = \zeta \rightarrow 27$		
	3	JUMP	$\uparrow$ TO S.R. "MIXING", $\Phi$			
	4	IND/SYMB	MIXING OF AB & DB FLOWS			-711
	5	$\Phi$	$\downarrow$			DATA
	6	EC 045	$\uparrow$ SYMB. ADDRESS EC 045			
	7	EC 045	$\downarrow$			
	8	$\uparrow()()$				
	9	2				
4 4 0		8	$f_e = f_n$			
	1	$\downarrow()()$				
	2	8				
	3	4		$f_n \rightarrow 84$		
	4	$\downarrow()()$				
	5	2				
	6	7		$f = f_n \rightarrow 27$		
	7	$\uparrow()()$				
	8	5				
	9	7	$\psi_N$			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
450		x				
1		=	$\psi_N^2 = \gamma_N$			
2		↓( ) ( )				
3		2				
4		3			$\gamma_N \rightarrow 23$	
5		↑( ) ( )				
6		2				
7		5	$T_9 = T_i$			
8		↓( ) ( )				
9		2			$T_9 = T_i \rightarrow 21$	
460		1				
1		1	1			
2		-				
3		↑( ) ( )				
4		4				
5		7	$\lambda_I$			
6		x				
7		(				
8		1	1			
9		-				
470		↑( ) ( )				
1		4				
2		8	$\lambda_{BP}$			
3		)	$1 - \lambda_{BP}$			
4		x				
5		(				
6		1	1			
7		-				
8		↑( ) ( )				
9		5				
480		0	$\lambda_{AB}$			
1		)	$1 - \lambda_{AB}$			
2		x				
3		↑( ) ( )				
4		4				
5		2	$P_2/P_1$			
6		=	$P_{11}/P_{12}$			
7		1/x	$P_{12}/P_{11}$			
8		↓( ) ( )				
9		2				
490		0			$P_{12}/P_{11} \rightarrow 20$	
1		1				
2		1	P.I. - 1112			
3		1	FOR EXHAUST NOZZLE			
4		2				
5		CHSGN				
6		↓( ) ( )				
7		3				
8		6			$IP \rightarrow 36$	
9		JUMP				



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
50	0	IND/SYMB	↑ TO S.R. "EXPANSION", X			-1112
	1	X	↓ FOR JET NOZZLE			DATA
	2	EC 046 IND/SYMB	↑ SYMB. ADDRESS EC 046			
	3	EC 046	↓			
	4	↑()()				
	5	3				
	6	4	$V_d$			
	7	X				
	8	(				
	9	1	1			
51	0	+				
	1	↑()()				
	2	8				
	3	4	$f_N$			
	4	)	$1 + f_N$			
	5	÷				
	6	↑()()				
	7	1				
	8	6	$g$			
	9	=	$I_{SP}$			
52	0	↓()()				
	1	8				
	2	5			$I_{SP} \rightarrow 85$	
	3	↓()()				
	4	2				
	5	5			$I_{SP} \rightarrow 25$	
	6	1/X	$1/I_{SP}$			
	7	X				
	8	↑()()				
	9	8				
53	0	4	$f_N$			
	1	X				
	2	3				
	3	6				
	4	0				
	5	0	3600			
	6	=	SFC			
	7	↓()()				
	8	2				
	9	6			$SFC \rightarrow 26$	
54	0	↑()()				
	1	7				
	2	9	$b$			
	3	↓()()				
	4	2				
	5	7			$b \rightarrow 27$	
	6	↑()()				
	7	3				
	8	5	$M_d$			
	9	↓()()				

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
550		2				
1		8			$M_d \rightarrow 28$	
2		2	↑			
3		0	P.I. - 200			
4		0	FOR OVERALL PERFORMANCE			
5		CHSGN				
6		↓( ) ( )				
7		2				
8		9	↓		$P.I. \rightarrow 29$	
9		BRANCH	↑			
560		IND/SYMB	CALL S.R. "PRINT II", ↑( )			-200
1		↑( )	↓ FOR OVERALL PERFORMANCE			DATA
2	EC 060	IND/SYMB	↑ SYMB. ADDRESS EC 060			
3	EC	060	↓			
4		HALT	$D_{Ti}$	$D_{Ti}$		
5		↓( ) ( )				
6		6				
7		0			$D_{Ti} \rightarrow 60$	
8		X				
9		X				
570		π				
1		÷				
2		4				
3		X				
4		(				
5		1	1			
6		-				
7		(				
8		HALT	$r_{hi}$	$r_{hi}$		
9		↓( ) ( )				
580		6			$r_{hi} \rightarrow 61$	
1		1				
2		X				
3		)	$r_{hi}^2$			
4		)	$1 - r_{hi}^2$			
5		X				
6		HALT	$k_i$	$k_i$		
7		↓( ) ( )				
8		6				
9		4			$k_i \rightarrow 64$	
590		=	$C = \frac{\pi}{4} D_{Ti}^2 (1 - r_{hi}^2)$			
1		↓( ) ( )				
2		9				
3		2			$C \rightarrow 92$	
4		HALT	$\beta_{IT}$	$\beta_{IT}$		
5		↓( ) ( )				
6		6				
7		3			$\beta_{IT} \rightarrow 63$	
8		SIN/COS	$\sin \beta_{IT}$			
9		↓( ) ( )				



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
600		9				
1		0			$\sin \beta_{IT} \rightarrow 90$	
2		$\div$				
3		2NDFUNC	$\cos \beta_{IT}$			
4		=	$\tan \beta_{IT}$			
5		$1/x$	$\cot \beta_{IT}$			
6		X				
7		HALT	$U_T$	$U_T$		
8		$\downarrow()()$				
9		6				
610		2				
1		X	$U_T \cot \beta_{IT}$		$U_T \rightarrow 62$	
2		$\downarrow()()$				
3		9				
4		1			$U_T \cot \beta_{IT} \rightarrow 91$	
5		$\div$	$(U_T \cot \beta_{IT})^2$			
6		$\uparrow()()$				
7		1				
8		8	$2gJ$			
9		=	$h_1 - h_{s1} = \Delta h$			
620		$\downarrow()()$				
1		2				
2		6			$\Delta h \rightarrow 26$	
3		$\uparrow()()$				
4		4				
5		1	$T_0 = T_1$			
6		$\downarrow()()$				
7		2				
8		1			$T_1 \rightarrow T_2 \rightarrow 21$	
9		1	$\eta = 1$			
630		$\downarrow()()$				
1		2				
2		3			$\eta = 1 \rightarrow 23$	
3		0	$0 = f$			
4		$\downarrow()()$				
5		2			$0 = f \rightarrow 27$	
6		7				
7		1	$\uparrow$ P.I. -101			
8		0	INLET DUCT			
9		1	$\downarrow$			
640		CHSGN				
1		$\downarrow()()$				
2		3				
3		6				
4		JUMP	$\uparrow$ TO S.R. "EXPANSION", $\pi/e$			
5		IND/SYMB	FOR INLET DUCT			
6		$\pi/e$	$\downarrow$			-101 DATA
7	EC 047	IND/SYMB	$\uparrow$ SYMB. ADDRESS EC 047			
8	EC	047	$\downarrow$			
9		$\uparrow()()$	71			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
65	0	2				
	1	0	$P_{s1}/P_i = P_e/P_i$			
	2	X				
	3	(				
	4	1	1			
	5	-				
	6	↑()()				
	7	4				
	8	7	$\lambda_z$			
	9	)	$1 - \lambda_z$			
66	0	X				
	1	↑()()				
	2	4				
	3	0	$P_0$			
	4	÷				
	5	↑()()				
	6	2				
	7	9	$R_G$			
	8	÷				
	9	↑()()				
67	0	2				
	1	4	$T_{s1}$			
	2	X				
	3	↑()()				
	4	9				
	5	1	$U_T \cot \beta_{1T}$			
	6	X				
	7	↑()()				
	8	9				
	9	2	C			
68	0	X	$\dot{w}$			
	1	↓()()				
	2	6				
	3	6				$\dot{w} \rightarrow 66$
	4	↑()()				
	5	8				
	6	5	$I_{sp}$			
	7	=	F			
	8	<del>3</del>	↑ delete fractions of F			
	9	5	↑			
69	0	↓()()				
	1	6				
	2	5				$F \rightarrow 65$
	3	↑()()				
	4	6				
	5	2	$U_T$			
	6	÷				
	7	↑()()				
	8	9				
	9	0	$\sin \beta_{1T}$			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
700		÷	$W_1 = U_T / \sin \beta_{1T}$			
1		↑()()				
2		3				
3		5	$a_{s1}$			
4		=	$M_{W1}$			
5		↓()()				
6		6				
7		9			$M_{W1} \rightarrow 69$	
8		↑()()				
9		6				
710		6	$\dot{w}$			
1		x				
2		↑()()				
3		1				
4		7	$J/550$			
5		x	$\dot{w} J/550$			
6		↑()()				
7		7				
8		0	$h_2 - h_1$			
9		=	$HP_{LC}$			
720		Φ	↑			
1		5	↓ delete fractions of $HP_{LC}$			
2		↓()()				
3		6				
4		7			$HP_{LC} \rightarrow 67$	
5		↑()()				
6		7				
7		1	$h_3 - h_2$			
8		=	$(\dot{w} J/550)(h_3 - h_2)$			
9		÷				
730		(				
1		1	1			
2		+				
3		↑()()				
4		7				
5		9	$b$			
6		)	$1 + b$			
7		=	$HP_{HC}$			
8		Φ	↑			
9		5	↓ delete fractions of $HP_{HC}$			
740		↓()()				
1		6				
2		8			$HP_{HC} \rightarrow 68$	
3		6				
4		1	↑			
5		↓()()	POINTER 61 STR (59)			
6		5				
7		9	↓		$PT \rightarrow 59$	
8		↓()	↑			
9		.	↓			



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
750		f(x)				
1		6				
2		0	DT <sub>1</sub>			
3		3	↑			
4		0				
5		0	PI. - 300			
6		CHSGN				
7	EC	177	↓			
8		PRINTA				-300 DT <sub>1</sub>
9	EC 062	IND/SYMB	↑ SYMB. ADDRESS EC 062			
760	EC	062	↓			
1		f(x)	↑ RCL. ACCORD. TO POINTER			
2		IND/SYMB	↓			
3		PRINTA				PRINT POINTER
4		1	1			
5		f(x)				
6		+				
7		5				
8		9	ADD 1 TO POINTER, STR(E)			
9		↓( )				
770		5				
1		9	STR POINTER IN 59			POINT. + 59
2		↓( )				
3		0	SET UP NEW POINTER			
4		-				
5		7				
6		0	70			
7		=	NEW POINTER - 70			
8		BRANCH	↑			
9		=	GO TO S.A. EC 063 IF NEW POINTER			
780		IND/SYMB	↓ EQUALS 70			
1	EC	063	↓			
2		JUMP	↑ GO TO S.A. EC 062 IF NEW POINTER			
3		IND/SYMB	↓ ≤ 69			
4	EC	062	↓			
5	EC 063	IND/SYMB	↑ SYMB. ADDRESS EC 063			
6	EC	063	↓			
7	EC	176	↑	END		....
8	EC	176	↑	MAIN		....
9	EC	176	↓	PROGR		....
790		ADVANCE	↑ 2 PAPER ADVANCE			
1		ADVANCE	↓			
2		JUMP	↑ TO INTRODUCE OTHER FIRST-STAGE			
3		IND/SYMB	↓ LC ROTOR DATA			
4	EC	060	↓			
5	-	IND/SYMB	↑ SUBROUTINE φ, (-)			T in 0 f in 5
6		-	↓			
7		f( )				
8		0	T			
9		ln/log	ln T			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
80	0	X				
	1	f()				
	2	0				
	3	1	C <sub>1</sub>			
	4	-	C <sub>1</sub> ln T			
	5	(				
	6	f()				
	7	0	T			
	8	X				
	9	f())				
81	0	0				
	1	2	C <sub>2</sub>			
	2	)	C <sub>2</sub> T			
	3	+				
	4	(				
	5	f()				
	6	0	T			
	7	X				
	8	÷	T <sup>2</sup>			
	9	2				
82	0	X	T <sup>2/2</sup>			
	1	↓()				
	2	1			T <sup>2/2</sup> → 1	
	3	f())				
	4	0				
	5	3	C <sub>3</sub>			
	6	)	C <sub>3</sub> T <sup>2/2</sup>			
	7	-				
	8	(				
	9	f()				
83	0	0	T			
	1	a <sup>x</sup>				
	2	3				
	3	÷	T <sup>3</sup>			
	4	3				
	5	X	T <sup>3/3</sup>			
	6	↓()				
	7	2			T <sup>3/3</sup> → 2	
	8	f())				
	9	0				
84	0	4	C <sub>4</sub>			
	1	)	C <sub>4</sub> T <sup>3/3</sup>			
	2	+				
	3	(				
	4	f()				
	5	0	T			
	6	a <sup>x</sup>				
	7	4				
	8	÷	T <sup>4</sup>			
	9	4				



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
850		x	$T^4/4$			
1		↓( )				
2		3			$T^4/4 \rightarrow 3$	
3		↑( ) ( )				
4		0				
5		5	$C_5$			
6		)	$C_5 T^4/4$			
7		=	$\varphi_A$			
8		↓( )				
9		6			$\varphi_A \rightarrow 6$	
860		↑( )				
1		0	T			
2		ln/log	ln T			
3		x				
4		↑( ) ( )				
5		1				
6		1	$D_1$			
7		+	$D_1 \ln T$			
8		(				
9		↑( )				
870		0	T			
1		x				
2		↑( ) ( )				
3		1				
4		2	$D_2$			
5		)	$D_2 T$			
6		-				
7		(				
8		↑( )				
9		1	$T^2/2$			
880		x				
1		↑( ) ( )				
2		1				
3		3	$D_3$			
4		)	$D_3 T^{3/2}$			
5		+				
6		(				
7		↑( )				
8		2	$T^{3/3}$			
9		x				
890		↑( ) ( )				
1		1				
2		4	$D_4$			
3		)	$D_4 T^{3/3}$			
4		-				
5		(				
6		↑( )				
7		3	$T^4/4$			
8		x				
9		↑( ) ( )				

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
90	0		1			
	1		5 $D_5$			
	2		) $D_5 T^4/A$			
	3		x $\varphi_G$			
	4		f( )			
	5		5 f			
	6		+ f $\varphi_G$			
	7		f( )			
	8		6 $\varphi_A$			
	9		÷			
91	0		(			
	1		1			
	2		+			
	3		f( )			
	4		5 f			
	5		) $1+f$			
	6		= $\varphi = [\varphi_A + f\varphi_G]/(1+f)$			
	7		↓( )	END S.R.		
	8		7	↓ $\varphi$	$\varphi \rightarrow 7$	
	9		RESUME			
92	0	+	IND/SYMB ↑ SUBROUTINE $h_A, h_G, h (+)$			$T$ in 0 $f$ in 5
	1		+ ↓			
	2		f( )			
	3		0 T			
	4		x			
	5		f( ) ( )			
	6		0			
	7		1 $C_1$			
	8		- $C_1 T$			
	9		(			
93	0		f( )			
	1		0 T			
	2		x			
	3		÷ $T^2$			
	4		2			
	5		x $T^2/2$			
	6		↓( )			
	7		1		$T^2/2 \rightarrow 1$	
	8		f( ) ( )			
	9		0			
94	0		2 $C_2$			
	1		) $C_2 T^2/2$			
	2		+			
	3		(			
	4		f( )			
	5		0 T			
	6		$a^x$			
	7		3			
	8		÷ $T^3$			
	9		3			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
950		x	$T^{3/3}$			
1		↓()				
2		2			$T^{3/3} \rightarrow 2$	
3		↑()()				
4		0				
5		3	$C_3$			
6		)	$C_3 T^{3/3}$			
7		-				
8		(				
9		↑()				
960		0	T			
1		a <sup>x</sup>				
2		4				
3		÷	$T^4$			
4		4				
5		x	$T^4/4$			
6		↓()				
7		3			$T^4/4 \rightarrow 3$	
8		↑()()				
9		0				
970		4	$C_4$			
1		)	$C_4 T^4/4$			
2		+				
3		(				
4		↑()				
5		0	T			
6		a <sup>x</sup>				
7		5				
8		÷	$T^5$			
9		5				
980		x	$T^5/5$			
1		↓()				
2		4			$T^5/5 \rightarrow 4$	
3		↑()()				
4		0				
5		5	$C_5$			
6		)	$C_5 T^5/5$			
7		=	$h_A$			
8		↓()				
9		6			$h_A \rightarrow 6$	
990		↑()				
1		0	T			
2		x				
3		↑()()				
4		1				
5		1	$D_1$			
6		+	$D_1, T$			
7		(				
8		↑()				
9		1	$T^2/2$			



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1000		X				
1		f( ) ( )				
2		1				
3		2	$D_2$			
4		)	$D_2 T^{3/2}$			
5		-				
6		(				
7		f( )				
8		2	$T^{3/3}$			
9		X				
1010		f( ) ( )				
1		1				
2		3	$D_3$			
3		)	$D_3 T^{3/3}$			
4		+				
5		(				
6		f( )				
7		3	$T^4/4$			
8		X				
9		f( ) ( )				
1020		1				
1		4	$D_4$			
2		)	$D_4 T^4/4$			
3		-				
4		(				
5		f( )				
6		4	$T^5/5$			
7		X				
8		f( ) ( )				
9		1				
1030		5	$D_5$			
1		)	$D_5 T^5/5$			
2		X	$h_G$			
3		↓( )				
4		7				$h_G \rightarrow 7$
5		f( )				
6		5	f			
7		+	f $h_G$			
8		f( )				
9		6	$h_A$			
1040		÷	$h_A + f h_G$			
1		(				
2		1	i			
3		+				
4		f( )				
5		5	f			
6		)	$1 + f$			
7		=	h			
8		↓( )				
9		8				$h \rightarrow 8$

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1050		RESUME	↓ END S.R. h (+)			
1	√	IND/SYMB	↑ SUBROUTINE "R <sub>G</sub> /J" (√)		f in 5	
2	√		↓			
3	↑ ( )					
4	5		f			
5	x					
6	↑ ( ) ( )					
7	0					
8	7		b = .035648			
9	+					
1060		↑ ( ) ( )				
1	0					
2	6		a = .034522			
3	÷					
4	(			S.R. R <sub>G</sub> /J		
5	1		1	(√)		
6	+					
7	↑ ( )					
8	5		f			
9	)		1+f			
1070		÷				
1	↑ ( ) ( )					
2	0					
3	0		J/R			
4	=		R <sub>G</sub> /J			
5	↓ ( ) ( )					
6	2					
7	9				R <sub>G</sub> /J → 29	
8	RESUME					
9	↓ ( )	IND/SYMB	↑ SUBROUTINE "PRINT I" (↓ ( ))			
1080		↓ ( )	↓			
1	↑ ( ) ( )					
2	2					
3	0		P <sub>e</sub> /P <sub>i</sub>			
4	↑ ( ) ( )					
5	3					
6	6		P. I.			
7	EC	177				P. I.
8	PRINTA					P <sub>e</sub> /P <sub>i</sub>
9	2		↑			
1090		1	SET UP POINTER 21			
1	↓ ( ) ( )		STR 37			
2	3					
3	7					
4	↓ ( )					
5	.					
6	8	IND/SYMB	↑ SYMBOL. ADDRESS 8			
7	8		↓			
8	↑ ( ) ( )		↑ RCL ACCORD. TO POINTER			
9	IND/SYMB		↓			



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1 1 0 0		PRINT A				PRINT A POINTER
1		1	1			
2		f( ) ( )				
3		+				
4		3				
5		7	ADD 1 TO POINTER, STR(E)			
6		↓( ) ( )				
7		3				
8		7	NEW POINTER, STR(37)			
9		↓( )				
1 1 1 0		.	SET UP NEW POINTER			
1		-				
2		3				
3		0	NEW POINTER - 30			
4		=				
5		JUMP				
6		=				
7		IND/SYMB	↑ TO SYMB. ADD. IF NEW POINTER = 30			
8		9	↓			
9		JUMP	↑			
1 1 2 0		IND/SYMB	↑ TO SYMB. ADD IF NEW POINTER ≤ 29			
1		8	↓			
2	9	IND/SYMB	↑ SYMB. ADDRESS 9			
3		9	↓			
4	EC	176	1 LINE OF DOTS			.....
5		RESUME	√ END S.R. PRINT I [↓( )]			
6	$e^x/10^x$	IND/SYMB	↑ SUBROUTINE "f" ( $e^x/10^x$ )			
7		$e^x/10^x$	↓			
8		f( ) ( )				
9		3				
1 1 3 0		2	$T_e'$			
1		÷				
2		f( ) ( )				
3		2				
4		1	$T_i$			
5		=	$T_e'/T_i$			
6		ln/log	$\ln(T_e'/T_i)$			
7		x				
8		f( ) ( )				
9		2				
1 1 4 0		9	$R_0/J$			
1		CHSGN	$-R_0/J$			
2		÷	$-(R_0/J) \ln(T_e'/T_i)$			
3		(				
4		f( ) ( )				
5		3				
6		1	$\varphi_e'$			
7		-				
8		f( ) ( )				
9		3				

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
115	0	0	$\varphi_i$			
	1	)	$\varphi_e' - \varphi_i$			
	2	+				
	3	1				
	4	=	$1 - \frac{R_g}{J} \ln \left( \frac{T_e'}{T_i} \right)$			
	5	1/x	$\frac{\varphi_e' - \varphi_i}{\bar{v}}$			
	6	↓( ) ( )				
	7	2				
	8	8			$\bar{v} \rightarrow 28$	
	9	↑( ) ( )				
116	0	1				
	1	0	J			
	2	↓( ) ( )				
	3	X				
	4	2				
	5	9	$R_g/J \rightarrow R_g$		$R_g \rightarrow 29$	
	6	RESUME	↓ END S.R. $\bar{v} (e^*/10^3)$			
	7	÷	↑ SUBROUTINE "COMPRESSOR" ( ÷ )		$P_e/P_i \rightarrow 20$	
	8	÷	↓		$T_i \rightarrow 21$	
	9	0	$f = 0$		$\eta_c \rightarrow 23$	
					$P.I. \rightarrow 36$	
117	0	↓( )				
	1	5			$f=0 \rightarrow 5$	
	2	↓( ) ( )				
	3	2				
	4	7			$f=0 \rightarrow 27$	
	5	↑( ) ( )				
	6	2				
	7	1	$T_i$			
	8	↓( )				
	9	0			$T_i \rightarrow 0$	
118	0	BRANCH	↑ TO S.R. "h," (+) For $h_i = f(T_i)$			
	1	IND/SYMB	↓			
	2	+	$h_i$			
	3	↓( ) ( )				
	4	2				
	5	2			$h_i \rightarrow 22$	
	6	BRANCH	↑ TO S.R. "φ" (-) For $\varphi_i = f(T_i)$			
	7	IND/SYMB	↓			
	8	-	$\varphi_i$			
	9	↓( ) ( )				
119	0	3				
	1	0			$\varphi_i \rightarrow 30$	
	2	BRANCH	↑ TO S.R. "R <sub>g</sub> /J" (√) for $f = 0$			
	3	IND/SYMB	↓			
	4	√	$R_g/J$			
	5	X				
	6	(				
	7	↑( ) ( )				
	8	2				
	9	0	$P_e/P_i$			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1 2 0	0	ln / log	$\ln (P_e/P_i)$			
	1	)				
	2	+	$(R_0/J) \ln (P_e/P_i)$			
	3	↑ ( ) ( )				
	4	3				
	5	0	$\varphi_i$			
	6	=	$\varphi_{e'}$			
	7	↓ ( ) ( )				
	8	3				
	9	1				$\varphi_{e'} \rightarrow 31$
1 2 1	0	4	↑ SYMBOL. ADDRESS 4			
	1	4	↓			
	2	HALT	ENTER: $T^* = T_{e'}$ FOR ITERATION IN $\varphi_{e'}$	$T^* = T_{e'}$		
	3	↓ ( ) ( )				
	4	3				
	5	2	$T^* = T_{e'}$			$T_{e'} \rightarrow 32$
	6	↓ ( )				
	7	0				$T^* \rightarrow 0$
	8	BRANCH	↑ TO S.R. "φ" (-) FOR $\varphi^* = f(T^*, f=0)$			
	9	IND/SYMB	↓ $\varphi^*$			
1 2 2	0	-	↓ $\varphi^*$			
	1	-				
	2	↑ ( ) ( )				
	3	3				
	4	1	$\varphi_{e'}$			
	5	=	$\varphi^* - \varphi_{e'} = \Delta\varphi$			
	6	2	↑			
	7	0	↓			
	8	.	P.I. 20.			
	9	EC 177	↓			20.
1 2 3	0	PRINT A				$\Delta\varphi$
	1	↑ ( )				
	2	0	$T^*$			
	3	PRINT A				$T^*$
	4	HALT	IF $\Delta\varphi \cong 0$ : ENTER Q: 0			
	5	JUMP	↑			
	6	=	GO TO S.A. 5: IF $\Delta\varphi = 0$			
	7	IND/SYMB	↓			
	8	5				
	9	JUMP	↑ GOTO S.A. 4 IF $\Delta\varphi \neq 0$ FOR			
1 2 4	0	IND/SYMB	IMPROVED $T^* = T_{e'}$			
	1	4	↓			
	2	5	↑ SYMBOL. ADDRESS 5			
	3	5	↓			
	4	↑ ( ) ( )	A			
	5	3	Unnecessary!			
	6	2	$T_{e'} \downarrow$			
	7	BRANCH	↑ GO TO S.R. "h"; FOR $h_{e'} = f(T_{e'}, f=0)$			
	8	IND/SYMB	↓			
	9	+	$h_{e'}$			



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1 2 5	0	-				
	1	↑( ) ( )				
	2	2				
	3	2	$h_i$			
	4	÷				
	5	↑( ) ( )				
	6	2				
	7	3	$\eta_c$			
	8	+	$h_e - h_i$			
	9	↓( ) ( )				
1 2 6	0	2				
	1	6			$h_e - h_i \rightarrow 26$	
	2	↑( ) ( )				
	3	2				
	4	2				
	5	=	$h_e$			
	6	↓( ) ( )				
	7	2				
	8	5			$h_e \rightarrow 25$	
	9	6 IND/SYMB	↑ SYMBOL. ADDRESS 6			
1 2 7	0	6	↓			
	1	HALT	ENTER: $T^* = T_e$ FOR ITERATION FOR $h_e$	$T^* = T_e$		
	2	↓( ) ( )				
	3	2				
	4	4	$T^* = T_e$		$T_e \rightarrow 24$	
	5	↓( )				
	6	0			$T^* \rightarrow 0$	
	7	BRANCH	↑ TO S.R "h" (+); FOR $h^* = F(T^*, f=0)$			
	8	IND/SYMB	↓			
	9	+	$h^*$			
1 2 8	0	-				
	1	↑( ) ( )				
	2	2				
	3	5	$h_e$			
	4	=	$h^* - h_e = \Delta h$			
	5	2	↑			
	6	1	P.I. 21			
	7	.	↓			
	8	EC 177				21.
	9	PRINTA				$\Delta h$
1 2 9	0	↑( )				
	1	0	$T^*$			
	2	PRINTA				$T^*$
	3	HALT	IF $\Delta h \equiv 0$ : ENTER: 0			
	4	JUMP	↑			
	5	=	GO TO S.A. 7 IF $\Delta h = 0$			
	6	IND/SYMB	↓			
	7	7				
	8	JUMP	↑ GO TO S.A. 6 IF $\Delta h \neq 0$ FOR			
	9	IND/SYMB	↑ IMPROVED $T^* = T_e$			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1 3 0 0		6	↓ GO TO S.A. 6 FOR IMPROVED $T^* = T_e$			
1	7	IND/SYMB	↑ SYMBOL. ADDRESS 7			
2	7		↓			
3		BRANCH	↑ TO S.R. " $\bar{f}$ " ( $e^x/10^x$ )			
4		IND/SYMB	↓		$\bar{Y} \rightarrow 28$	
5		$e^x/10^x$	↓		$R_4 \rightarrow 29$	
6		BRANCH	↑ TO S.R. "PRINT I"			
7		IND/SYMB	↓			
8		↓ ( )	↓			COMPR DATA
9		JUMP	↑			
1 3 1 0		FLAG 1	IF FLAG 1 IS SET JUMP TO EC 040			
1		IND/SYMB	(LOW COMP)			
2	EC	0 40				
3		JUMP	IF FLAG 1 IS NOT SET JUMP TO EC 041			
4		IND/SYMB	(HIGH COMP)			
5	EC	0 41	↓ END S.R. COMPR.			
6	X	IND/SYMB	↑ SUBROUTINE "EXPANSION" (X)		$P_e/P_i \rightarrow 20$	
7	X		↓		$T_i \rightarrow 21$	
8		↑ ( ) ( )			$\gamma_e \rightarrow 23$	
9		2			$f \rightarrow 27$	
					$P.I. \rightarrow 36$	
1 3 2 0		7	f			
1		↓ ( )				
2		5			$f \rightarrow 5$	
3		BRANCH	↑ TO S.R. " $R_4/J$ "			
4		IND/SYMB	↓			
5		$\sqrt{\quad}$	↓		$R_4/J \rightarrow 29$	
6		↑ ( ) ( )				
7		2				
8		1	$T_i$			
9		↓ ( )				
1 3 3 0		0			$T_i \rightarrow 0$	
1		BRANCH	↑ TO S.R. "h" FOR $h_i = F(T_i, f)$			
2		IND/SYMB	↓			
3		+	$h_i$			
4		↓ ( ) ( )				
5		2				
6		2			$h_i \rightarrow 22$	
7		BRANCH	↑ TO S.R. " $\varphi$ " FOR $\varphi_i = F(T_i, f)$			
8		IND/SYMB	↓			
9		-	$\varphi_i$			
1 3 4 0		↓ ( ) ( )				
1		3				
2		0			$\varphi_i \rightarrow 30$	
3		+	$\varphi_i$			
4		(				
5		↑ ( ) ( )				
6		2				
7		0	$P_e/P_i$			
8		ln / log	$\ln(P_e/P_i)$			
9		X				



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1 3 5	0	↑( ) ( )				
	1	2				
	2	9	$R_0/J$			
	3	)	$(R_0/J) \ln(P_e/P_i)$			
	4	=	$\varphi_e'$			
	5	↓( ) ( )				
	6	3				
	7	1			$\varphi_e' \rightarrow 31$	
	8	( IND/SYMB	↑ SYMBOL. ADDRESS (			
	9	(	↓			
1 3 6	0	HALT	ENTER: $T^* = T_e'$ FOR ITERATION IN $\varphi_e'$	$T^* = T_e'$		
	1	↓( ) ( )				
	2	3				
	3	2			$T_e' \rightarrow 32$	
	4	↓( )				
	5	0			$T^* \rightarrow 0$	
	6	BRANCH	↑ TO S.R. "φ" FOR $\varphi^* = F(T^*, f)$			
	7	IND/SYMB	↓			
	8	-	$\varphi^*$			
	9	-				
1 3 7	0	↑( ) ( )				
	1	3				
	2	1	$\varphi_e'$			
	3	=	$\varphi^* - \varphi_e' = \Delta\varphi$			
	4	3	↑			
	5	0	P. I. 30			
	6	.	↑			
	7	EC 177				30.
	8	PRINT A				$\Delta\varphi$
	9	↑( )				
1 3 8	0	0	$T^*$			
	1	PRINT A				$T^*$
	2	HALT	IF $\Delta\varphi \cong 0$ : ENTER: 0			
	3	JUMP	↑			
	4	=	GO TO S.A. ) IF $\Delta\varphi = 0$			
	5	IND/SYMB	↓			
	6	)				
	7	JUMP	↑ GO TO S.A. ( IF $\Delta\varphi \neq 0$ FOR			
	8	IND/SYMB	IMPROVED $T^* = T_e'$			
	9	(	↓			
1 3 9	0	) IND/SYMB	↑ SYMBOL. ADDRESS )			
	1	)	↓			
	2	BRANCH	↑ TO S.R. "h" FOR $h_e' = F(T_e', f)$			
	3	IND/SYMB	↓			
	4	+	$h_e'$			
	5	CHSGN	$-h_e'$			
	6	+				
	7	↑( ) (				
	8	2				
	9	2	$h_i$			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
140	0	X	$h_i - h_e'$			
	1	f( ) ( )				
	2	2				
	3	3	$\eta_e$			
	4	-	$(h_i - h_e') \eta_e = h_i - h_e$			
	5	↓( ) ( )				
	6	2				
	7	6			$h_i - h_e \rightarrow 26$	
	8	↑( ) ( )				
	9	2				
141	0	2	$h_i$			
	1	=	$-h_e$			
	2	CHSGN	$h_e$			
	3	↓( ) ( )				
	4	2				
	5	5			$h_e \rightarrow 25$	
	6	↗ IND/SYMB	↑ SYMBOL. ADDRESS ↗			
	7	↘	↓			
	8	HALT	ENTER: $T^* = T_e$ FOR ITERATION IN $h_e$	$T^* = T_e$		
	9	↓( ) ( )				
142	0	2				
	1	4			$T_e \rightarrow 24$	
	2	↓( )				
	3	0			$T^* \rightarrow 0$	
	4	BRANCH	↑ TO S.R. "h" FOR $h^* = F(T^*, f)$			
	5	IND/SYMB	↓ $h^*$			
	6	+				
	7	-				
	8	↑( ) ( )				
	9	2				
143	0	5	$h_e$			
	1	=	$h^* - h_e = \Delta h$			
	2	3				
	3	1	↑ P.I. 31.			
	4	.	↓			
	5	EC 177				31.
	6	PRINT A				$\Delta h$
	7	↑( )				
	8	0	$T^*$			
	9	PRINT A				$T^*$
144	0	HALT	IF $\Delta h \cong 0$ : ENTER: 0			
	1	JUMP	↑			
	2	=	IF $\Delta h = 0$ GO TO S.A. <del>X</del>			
	3	IND/SYMB	↓			
	4	<del>X</del>				
	5	JUMP	↑ GO TO S.A. ↗ IF $\Delta h \neq 0$ FOR			
	6	IND/SYMB	IMPROVED $T^* = T_e$			
	7	↗	↓			
	8	<del>X</del> IND/SYMB	↑ SYMBOL. ADDRESS <del>X</del>			
	9	<del>X</del>	↓			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
145	0	BRANCH	↑ TO S.R. "f"			
	1	IND/SYMB			$\bar{v} \rightarrow 28$	
	2	$e^x/10^x$	↓		$R_G \rightarrow 29$	
	3	BRANCH	↑ TO S.R. " $(V_e)_e, a_e$ "			
	4	IND/SYMB			$(V_e)_e \rightarrow 33$	
	5	ln/LOG	↓		$a_e \rightarrow 35$	
	6	f( ) ( )				
	7	2				
	8	6	$h_i - h_e$			
	9	X				
146	0	f( ) ( )				
	1	1				
	2	8	$2gJ$			
	3	=	$V_d^2 = 2gJ(h_i - h_e)$			
	4	$\sqrt{\quad}$	$V_d$			
	5	↓( ) ( )				
	6	3				
	7	4			$V_d \rightarrow 34$	
	8	÷				
	9	f( ) ( )				
147	0	3				
	1	5	$a_e$			
	2	=	$M_d = V_d/a_e$			
	3	↓( ) ( )				
	4	3				
	5	5			$M_d \rightarrow 35$	
	6	BRANCH	↑			
	7	IND/SYMB	↑ TO S.R. "PRINT I"			
	8	↓( )	↓			DATA
	9	JUMP	↑			
148	0	FLAG	IF FLAG 1 IS SET JUMP TO EC 044 (LOW TURBINE)			
	1	IND/SYMB				
	2	EC 044	↓			
	3	JUMP	↑			
	4	IND/SYMB	IF FLAG 1 IS NOT SET JUMP TO EC 046 (JET NOZZLE)			
	5	EC 046	↓		END S.R. "EXPANSION"	
	6	ln/LOG IND/SYMB	↑ SUBROUTINE " $(V_e)_e, a_e$ "; (ln/LOG)			
	7	ln/LOG	↓ USE AFTER S.R. "f"; ( $e^x/10^x$ )			
	8	f( ) ( )				
	9	2				
149	0	4	$T_e$			
	1	÷				
	2	f( ) ( )				
	3	2				
	4	5	$h_e$			
	5	X				
	6	f( ) ( )				
	7	2				
	8	9	$R_G$			
	9	÷				



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
150	0	↑( ) ( )				
	1	1				
	2	0	J			
	3	CHSGN	-J			
	4	+				
	5	1	1			
	6	=	$1 - (R_G/J) T_e / h_e$			
	7	1/x	$(\gamma_e)_e$			
	8	↓( ) ( )				
	9	3				
151	0	3			$(\gamma_e)_e \rightarrow 33$	
	1	x				
	2	↑( ) ( )				
	3	1				
	4	6	g			
	5	x				
	6	↑( ) ( )				
	7	2				
	8	9	$R_G$			
	9	x				
152	0	↑( ) ( )				
	1	2				
	2	4	$T_e$			
	3	=	$(\gamma_e)_e g R_G T_e = a_e^2$			
	4	√	$a_e$			
	5	↓( ) ( )				
	6	3				
	7	5			$a_e \rightarrow 35$	
	8	RESUME	√ END S.R. "( $\gamma_e)_e, a_e$ "			
	9	$\pi/e$	IND/SYMB SUBROUTINE ".HT" ( $\pi/e$ )		$\Delta h = h_i - h_e \rightarrow 26$	
153	0	$\pi/e$			$T_i \rightarrow 21$	
	1	↑( ) ( )			$\eta \rightarrow 23$	
	2	2			$f \rightarrow 27$	
	3	1	$T_i$		P.I. $\rightarrow 36$	
	4	↓( )				
	5	0			$T_i \rightarrow 0$	
	6	↑( ) ( )				
	7	2				
	8	7	f			
	9	↓( )				
154	0	5			$f \rightarrow 5$	
	1	BRANCH	↑ TO S.R. " $R_G/J$ " ( $\Gamma$ )			
	2	IND/SYMB	↓			
	3	√			$R_G/J \rightarrow 29$	
	4	BRANCH	↑ TO S.R. " $\varphi$ " (-) FOR $\varphi_i = F(T_i, f)$			
	5	IND/SYMB	↓ $\varphi_i$			
	6	-				
	7	↓( ) ( )				
	8	3				
	9	0			$\varphi_i \rightarrow 30$	



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
155	0	BRANCH	↑			
	1	IND/SYMB	TO S.R. "h" (+) FOR $h_i = F(T_i, f)$			
	2	+	↓ $h_i$			
	3	↓( ) ( )				
	4	2				
	5	2			$h_i \rightarrow 22$	
	6	-				
	7	↑( ) ( )				
	8	2				
	9	6	$\Delta h = h_i - h_e$			
156	0	=	$h_e$			
	1	↓( ) ( )				
	2	2				
	3	5			$h_e \rightarrow 25$	
	4	2NDFUNC IND/SYMB	↑ SYMBOL. ADDRESS 2NDFUNC			
	5	2NDFUNC	↓			
	6	HALT	ENTER: $T^* = T_e$ FOR ITERATION IN $h_e$	$T^* = T_e$		
	7	↓( ) ( )				
	8	2				
	9	4			$T_e \rightarrow 24$	
157	0	↓( ) ( )				
	1	3				
	2	2			$T_e \rightarrow 32$	
	3	↓( )				
	4	0			$T^* \rightarrow 0$	
	5	BRANCH	↑			
	6	IND/SYMB	TO S.R. "h" (+) FOR $h^* = F(T^*, f)$			
	7	+	↓ $h^*$			
	8	-				
	9	↑( ) ( )				
158	0	2				
	1	5	$h_e$			
	2	=	$\Delta h = h^* - h_e$			
	3	4				
	4	0	↑ P.I. 40.			
	5	.	↓			
	6	EC 177				40.
	7	PRINT A				$\Delta h$
	8	↑( )				
	9	0	$T^*$			
159	0	PRINT A				$T^*$
	1	HALT	IF $\Delta h \approx 0$ : ENTER: 0			
	2	JUMP	↑			
	3	=	IF $\Delta h = 0$ GO TO S.A. $1/x$			
	4	IND/SYMB	↓			
	5	$1/x$				
	6	JUMP	↑ IF $\Delta h \neq 0$ GO TO S.A. 2NDFUNC			
	7	IND/SYMB	↓ FOR IMPROVED $T^* = T_e$			
	8	2NDFUNC				
	9	$1/x$ IND/SYMB	SYMBOL. ADDRESS $1/x$			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1600		1/x				
1		f( ) ( )				
2		2				
3		6	$h_i - h_e$			
4		÷				
5		f( ) ( )				
6		2				
7		3	$\eta$			
8		CHSGN	$-\eta$			
9		+	$-(h_i - h_e)/\eta$			
1610		f( ) ( )				
1		2				
2		2	$h_i$			
3		-	$h_e' = h_i - (h_i - h_e)/\eta$			
4		d( ) ( )				
5		3				
6		4			$h_e' \rightarrow 34$	
7		f( ) ( )				
8		2				
9		5	$h_e$			
1620		=	$h_e' - h_e$			
1		JUMP	↑			
2		=	IF $h_e' = h_e$ JUMP TO S.A. R → 0			
3		IND/SYMB	↓			
4		R → 0				
5	SIN/COS	IND/SYMB	↑	SYMBOL. ADDRESS SIN/COS		
6		SIN/COS	↓			
7		HALT	ENTER: $T^* = T_e'$ FOR ITERATION IN $h_e'$ $T^* = T_e'$			
8		d( ) ( )				
9		3				
1630		2			$T_e' \rightarrow 32$	
1		d( )				
2		0			$T^* \rightarrow 0$	
3		BRANCH	↑	TO SUB.R. " $h^*(t)$ FOR $h^* = F(T^*, f)$ "		
4		IND/SYMB	↓			
5		+	$h^*$			
6		-				
7		f( ) ( )				
8		3				
9		4	$h_e'$			
1640		=	$\Delta h = h^* - h_e'$			
1		4	↑			
2		1	P.I. 41.			
3		.	↓			
4	EC	177				41.
5		PRINTA				$\Delta h$
6		f( )				
7		0	$T^*$			
8		PRINTA				$T^*$
9		HALT	IF $\Delta h \leq 0$ : ENTER: 0			

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1650		JUMP	↑			
1	=		IF $\Delta h = 0$ GO TO S.A. $R_{\rightarrow 0}$			
2	IND/SYMB		↓			
3	$R_{\rightarrow 0}$					
4	JUMP		↑ IF $\Delta h \neq 0$ GO TO S.A. SIN/COS FOR IMPROVED $T^* = T_e'$			
5	IND/SYMB		↓			
6	SIN/COS					
7	$R_{\rightarrow 0}$	IND/SYMB	↑ SYMBOL. ADDRESS $R_{\rightarrow 0}$			
8	$R_{\rightarrow 0}$		↓			
9	BRANCH		↑ TO S.R. "φ" (-) FOR $\varphi_e' = F(T_e', f)$			
1660		IND/SYMB	↓ $\varphi_e'$			
1	-					
2	↓( ) ( )					
3	3					
4	1	$\varphi_e'$			$\varphi_e' \rightarrow 31$	
5	-					
6	↑( ) ( )					
7	3					
8	0	$\varphi_i$				
9	÷	$\varphi_e' - \varphi_i$				
1670		↑( ) ( )				
1	2					
2	9	$R_a/S$				
3	=	$(\varphi_e' - \varphi_i) / (R_a/S)$				
4	$e^x/10^x$	$P_e/P_i = e^{(\varphi_e' - \varphi_i) / (R_a/S)}$				
5	↓( ) ( )					
6	2					
7	0				$P_e/P_i \rightarrow 20$	
8	BRANCH		↑ TO S.R. "ȳ" ( $e^x/10^x$ )			
9	IND/SYMB		↓		$\bar{y} \rightarrow 28$	
1680		$e^x/10^x$	↓		$R_a \rightarrow 29$	
1	BRANCH		↑ TO S.R. "( $\varphi_e$ ) <sub>e</sub> , $a_e$ " (ln/LOG)			
2	IND/SYMB		↓		$(\varphi_e)_e \rightarrow 33$	
3	ln/LOG		↓		$a_e \rightarrow 35$	
4	BRANCH		↑ TO S.R. "PRINT I" [↓( )]			
5	IND/SYMB		↓			
6	↓( )		↓			DATA
7	JUMP		↑ IF FLAG 1 IS SET JUMP TO EC 042			
8	FLAG		(HIGH TURBINE)			
9	IND/SYMB		↓			
1690	EC	042	↓			
1	JUMP		↑ IF FLAG 1 IS NOT SET JUMP TO EC 047			
2	IND/SYMB		(INLET DUCT			
3	EC	047	↓		[(END S.R. "HT")	
4	↑( )	IND/SYMB	↑ SUBROUTINE "PRINT II" [↑( )]	↑		
5	↑( )		↓			
6	↑( ) ( )					
7	2					
8	5	$T_e$				
9	↑( ) ( )					



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1700		2				
1		9	RCL P.I.			
2	EC	177				P.I.
3		PRINT A				$T_e$
4		$\uparrow()$				
5		2				
6		6	$h_e$			
7		PRINT A				$h_e$
8		$\uparrow()$				
9		2				
1710		7	$\Delta f$ or $\zeta = w_i/w_i$			
1		PRINT A				$\Delta f$ or $\zeta$
2		$\uparrow()$				
3		2		S.R. "PRINT I"		
4		8	$f_e$	[ $\uparrow()$ ]		
5		PRINT A				$f_e$
6	EC	176	1 LINE OF DOTS			....
7		RESUME				
8	$a^x$	IND/SYMB	$\uparrow$ SUBROUTINE "BURNER" ( $a^x$ )		$T_i \rightarrow 20$	
9		$a^x$	$\downarrow$		$f_i \rightarrow 21$	
					$T_e \rightarrow 25$	
1720		$\uparrow()$			$T_0 \rightarrow 22$	
1		2			P.I. $\rightarrow 29$	
2		0	$T_i$			
3		$\downarrow()$				
4		0			$T_i \rightarrow 0$	
5	BRANCH		$\uparrow$ TO S.R. "h" (+) FOR $(h_A)_i = F(T_i)$			
6	IND/SYMB		$\downarrow$ $(h_G)_i = F(T_i)$			
7	+					
8	$\uparrow()$					
9	6		$(h_A)_i$			
1730		$\downarrow()$				
1		2				
2		3			$(h_A)_i \rightarrow 23$	
3		$\uparrow()$				
4		7	$(h_G)_i$			
5		$\downarrow()$				
6		2				
7		4			$(h_G)_i \rightarrow 24$	
8		$\uparrow()$				
9		2				
1740		5	$T_e$			
1		$\downarrow()$				
2		0			$T_e \rightarrow 0$	
3	BRANCH		$\uparrow$ TO S.R. "h" (+) FOR $(h_A)_e = F(T_e)$			
4	IND/SYMB		$\downarrow$ $(h_G)_e = F(T_e)$			
5	+					
6	$\uparrow()$					
7	6		$h_{Ae}$			
8	-					
9		$\uparrow()$				



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
175	0	2				
	1	3	$h_{ai}$			
	2	+	$h_{ae} - h_{ai}$			
	3	(				
	4	$\uparrow()$				
	5	2				
	6	1	$f_i$			
	7	x				
	8	(				
	9	$\uparrow()$				
176	0	7	$h_{ae}$			
	1	-				
	2	$\uparrow()$				
	3	2				
	4	4	$h_{ai}$			
	5	)	$h_{ae} - h_{ai}$			
	6	)	$f_i (h_{ae} - h_{ai})$			
	7	$\div$				
	8	(				
	9	$\uparrow()$				
177	0	0				
	1	9	$h_f$			
	2	+				
	3	(				
	4	$\uparrow()$				
	5	2				
	6	2	$\gamma_B$			
	7	x				
	8	$\uparrow()$				
	9	0				
178	0	8	LHV			
	1	)				
	2	-				
	3	$\uparrow()$				
	4	7	$h_{ge}$			
	5	)	$h_f + \gamma_B LHV - h_{ge}$			
	6	+	$\Delta f$			
	7	$\downarrow()$				
	8	2				
	9	7			$\Delta f \rightarrow 27$	
179	0	$\uparrow()$				
	1	2				
	2	1	$f_i$			
	3	x	$f_e = \Delta f + f_i$			
	4	$\downarrow()$				
	5	2				
	6	8			$f_e \rightarrow 28$	
	7	$\uparrow()$				
	8	7	$h_{ge}$			
	9	+	$f_e h_{ge}$			

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STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1800		↑( )				
1		6	$h_{Ae}$			
2		÷	$h_{Ae} + f_e h_{ae}$			
3		(				
4		1	1			
5		+				
6		↑( )( )				
7		2				
8		8	$f_e$			
9		)	$1 + f_e$			
1810		=	$h_e$			
1		↓( )( )				
2		2				
3		6			$h_e \rightarrow 26$	
4		BRANCH	↑ TO S.R. "PRINT II" [↑( )]			DATA
5		IND/SYMB	↓			
6		↑( )				
7		RESUME	↓ END S.R. "BURNER" (a <sup>x</sup> )			
8	Φ	IND/SYMB	SUBROUTINE "MIXING" (Φ)		$T_{ii} \rightarrow 20$	
9	Φ				$f_i \rightarrow 21$	
1820		↑( )( )			$T_{ii} \rightarrow 22$	
1		2			$f_{ii} \rightarrow 23$	
2		0	$T_i$		$\Phi \rightarrow 27$	
3		↓( )			$PI \rightarrow 29$	
4		0			$T_i \rightarrow 0$	
5		↑( )( )				
6		2				
7		1	$f_i$			
8		↓( )				
9		5			$f_i \rightarrow 5$	
1830		BRANCH	↑ TO S.R. "h" FOR $h_i = F(T_i, f_i)$			
1		IND/SYMB	↓ $h_i$			
2		+				
3		x				
4		(				
5		1				
6		+				
7		↑( )( )				
8		2				
9		1	$f_i$			
1840		)	$1 + f_i$			
1		=	$(1 + f_i) h_i$			
2		↓( )( )				
3		2				
4		4			$(1 + f_i) h_i \rightarrow 24$	
5		↑( )( )				
6		2				
7		2	$T_{ii}$			
8		↓( )				
9		0			$T_{ii} \rightarrow 0$	

STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
185	0	↑( ) ( )				
	1	2				
	2	3	$f_{ii}$			
	3	↓( )				
	4	5				$f_{ii} \rightarrow 5$
	5	BRANCH	↑ TO S.R. "h" FOR $h_{ii} = F(T_{ii}; f_{ii})$			
	6	IND/SYMB	↓ $h_{ii}$			
	7	+				
	8	X				
	9	↑( ) ( )				
186	0	2				
	1	7	$\zeta$			
	2	X	$\zeta h_{ii}$			
	3	(				
	4	1	1			
	5	+				
	6	↑( ) ( )				
	7	2				
	8	3	$f_{ii}$			
	9	)	$1 + f_{ii}$			
187	0	+	$\zeta h_{ii} (1 + f_{ii})$			
	1	↑( ) ( )				
	2	2				
	3	4	$(1 + f_{ii}) h_i$			
	4	÷	$(1 + f_{ii}) h_i + \zeta h_{ii} (1 + f_{ii})$			
	5	(				
	6	1	1			
	7	+				
	8	↑( ) ( )				
	9	2				
188	0	7	$\zeta$			
	1	+	$1 + \zeta$			
	2	↓( )				
	3	6				$1 + \zeta \rightarrow 6$
	4	(				
	5	↑( ) ( )				
	6	2				
	7	7	$\zeta$			
	8	X				
	9	↑( ) ( )				
189	0	2				
	1	3	$f_{ii}$			
	2	+	$\zeta f_{ii}$			
	3	↑( ) ( )				
	4	2				
	5	1	$f_i$			
	6	)	$f_i + \zeta f_{ii}$			
	7	↓( )				
	8	7				$f_i + \zeta f_{ii} \rightarrow 7$
	9	)	$1 + \zeta + f_i + \zeta f_{ii}$			



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
1900		=	$h_e$			
1		$\downarrow()$				
2		2				
3		6			$h_e \rightarrow 26$	
4		$\uparrow()$				
5		7	$f_i + \sum f_{ii}$			
6		$\div$				
7		$\uparrow()$				
8		6	$1 + \sum$			
9		=	$f_e$			
1910		$\downarrow()$				
1		2				
2		8			$f_e \rightarrow 28$	
3		$\downarrow()$				
4		5			$f_e \rightarrow 5$	
5		$\uparrow()$				
6		2				
7		0	$T_i$			
8		$\downarrow()$				
9		2				
1920		5	SET $T_e = T_i$ IF $T_i = T_{ii}$		$T_i = T_e \rightarrow 25$	
1		-				
2		$\uparrow()$				
3		2				
4		2	$T_{ii}$			
5		=	$T_i - T_{ii}$			
6		JUMP	$\uparrow$ TO S.A. $\sum_0$ IF $T_i = T_{ii}$			
7		=	$\downarrow$ TO S.A. 1 IF $T_i \neq T_{ii}$			
8		IND/SYMB				
9		$\sum_0$				
1930	1	IND/SYMB	$\uparrow$ SYMBOL ADDRESS 1			
1		1	$\downarrow$			
2		HALT	ENTER: $T^* = T_e$ FOR ITERATION IN $h_e$	$T^* = T_e$		
3		$\downarrow()$				
4		2				
5		5			$T_e \rightarrow 25$	
6		$\downarrow()$				
7		0			$T^* \rightarrow 0$	
8		BRANCH	$\uparrow$ TO S.R. "h" FOR $h^* = F(T^*, f_e)$			
9		IND/SYMB	$\downarrow$			
1940		+	$h^*$			
1		-				
2		$\uparrow()$				
3		2				
4		6	$h_e$			
5		=	$\Delta h = h^* - h_e$			
6		1	$\uparrow$			
7		0	P.I. 10.			
8		.	$\downarrow$			
9	EC	177				10.



STEP	SYMBOL	COMMAND	COMMENTS	ENTER	STORE	PRINT
195	0	PRINT A				$\Delta h$
	1	$\uparrow()$				
	2	0	$T^*$			
	3	PRINT A				$T^*$
	4	HALT	IF $\Delta h \cong 0$ : ENTER : 0			
	5	JUMP	$\uparrow$			
	6	=	IF $\Delta h = 0$ GO TO S.A. $\Sigma_0$			
	7	IND/SYMB	$\downarrow$			
	8	$\Sigma_0$				
	9	JUMP	$\uparrow$ IF $\Delta h \neq 0$ GO TO S.A. 1 FOR			
196	0	IND/SYMB	IMPROVED $T^* = T_c$			
	1	1	$\downarrow$			
	2	$\Sigma_0$ IND/SYMB	$\uparrow$ SYMBOL. ADDRESS $\Sigma_0$			
	3	$\Sigma_0$	$\downarrow$			
	4	BRANCH	A TO S.R. "PRINT II"			DATA
	5	IND/SYMB	$\downarrow$			
	6	$\uparrow()$				
	7	JUMP	$\uparrow$ IF FLAG 1 IS SET JUMP TO EC 043			
	8	FLAG 1	(MIXING AFTER HT)			
	9	IND/SYMB	$\downarrow$			
197	0	EC 043				
	1	JUMP	$\uparrow$ IF FLAG 1 IS NOT SET JUMP TO			
	2	IND/SYMB	S.A. EC 045	END	S.R. MIXING	
	3	EC 045	$\downarrow$ (MIXING AFTER D.B. & A.B.)	END	PROGRAM 514	
	4					
	5					
	6					
	7					
	8					
	9					
198	0					
	1					
	2					
	3					
	4					
	5					
	6					
	7					
	8					
	9					
	0					
	1					
	2					
	3					
	4					
	5					
	6					
	7					
	8					
	9					



MAIN STORAGE BOOKKEEPING

REGISTER	CONTENTS 1	CONTENTS 2	CONTENTS 3
0 0	$J/R = 778.16/1545.43$ ↑		
1	$C_1$		
2	$C_2$		
3	$C_3$ ENTERED		
4	$C_4$ BY PROG.		
5	$C_5$ VA 513		
6	$a = .034522$		
7	$b = .035648$		
8	LHV = 18,400		
9	$h_f = 260$		
1 0	$J = 778.16$		
1	$D_1$		
2	$D_2$		
3	$D_3$		
4	$D_4$		
5	$D_5$		
6	$g = 32.174$		
7	$J/550$		
8	$2gJ$ ↓		
9			
2 0	$P_e/P_i$ (INPUT) ↑	$P_e/P_i$ (INPUT) ↑	$P_e/P_i$ ↑
1	$T_i$ (INPUT) ↑	$T_i$ (INPUT) ↑	$T_i$ (INPUT) PRINT-OUT
2	$h_i$ ↑	$h_i$ PRINT-OUT	$h_i$ "PRINT I"
3	$\eta_c$ (INPUT) PRINT-OUT	$\eta_e$ (INPUT) "PRINT I"	$\eta$ (INPUT) ↓()
4	$T_e$ "PRINT I"	$T_e$ SUB.ROUT [K]	$T_e$ SUB.ROUT
5	$h_e$ [↓()]	$h_e$ "EXPANS"	$h_e$ "HT"
6	$h_e - h_i$	$h_i - h_e$ (X)	$h_i - h_e$ (INPUT) (V/e)
7	$f = 0$ SUB.ROUT	$f$ (INPUT)	$f$ (INPUT)
8	$\bar{y}$ "COMPR"	$\bar{y}$	$\bar{y}$
9	$R_a/J$   $R_g$   (÷) ↓	$R_a/J$   $R_g$ ↓	$R_a/J$   $R_g$ ↓
3 0	$\varphi_i$	$\varphi_i$	$\varphi_i$
1	$\varphi_e'$	$\varphi_e'$	$\varphi_e'$
2	$T_e'$	$T_e'$	$T_e'$
3		$(\gamma_e)_e$	$(\gamma_e)_e$
4		$V_d$	$h_e'$
5		$a_e$   $M_d$	$a_e$
6	PRINT IDENTIF.	PRINT IDENT.	PRINT IDENT.
7	POINTER ↓	POINTER ↓	POINTER ↓
8			
9			
4 0	(SEE PAGE 52)		
1			
2			
3			
4			
5			
6			
7			
8			
9			



REGISTER	CONTENTS 4 (20-29)	CONTENTS 5 (20-29)	CONTENTS 6 (20-29)
0			
1			
2			
3			
4			
5			
6			
7			
8			
9			
0			
1			
2			
3			
4			
5			
6			
7			
8			
9			
20	$T_i$ (INPUT) ↑	$T_i$ (INPUT) ↑	
1	$f_i$ (INPUT) ↑	$f_i$ (INPUT) ↑	
2	$\gamma_B$ (INPUT) ↑	$T_{ii}$ (INPUT) ↑	
3	$h_{Ai}$ SUBROUT	$f_{ii}$ (INPUT) SUBROUT	
4	$h_{Gi}$ "BURNER"	$h_i(1+f_i)$ "MIXING"	
5	$T_e$ (INPUT) ( $a^*$ ) ↑	$T_e$ ( $\Phi$ ) ↓	$I_{sp}$ ↑
6	$h_e$ PRINT-OUT	$h_e$ PRINT-OUT "PRINT II"	SFC OVERALL "PRINT II"
7	$\Delta f$ "PRINT II"	$\zeta$ (INPUT) [ $\uparrow$ ( )]	b PERFORM. [ $\uparrow$ ( )]
8	$f_e$ ↓ [ $\uparrow$ ( )]	$f_e$ ↓	$M_d$ ↓
9	PRINT IDENT. ↓	PRINT IDENT. ↓	PRINT IDENT. - 200 ↓
0			
1			
2			
3			
4			
5			
6			
7			
8			
9	CONTENTS 1 (40-49)		
40	$P_0$ ↑		
1	$T_0$		
2	$P_2/P_1$ ENTERED		
3	$P_3/P_1$ BY PROG.		
4	$T_4$ VA 513		
5	$T_9 = T_{10}$		
6	$\xi$		
7	$\lambda_I$		
8	$\lambda_{BP}$		
9	$\lambda_B$		



MAIN STORAGE BOOKKEEPING

REGISTER	CONTENTS 1	CONTENTS 2	CONTENTS 3
5	0 $\lambda_{DB} = \lambda_{AB}$		
	1 $\eta_{LC}$		
	2 $\eta_{HC}$		
	3 $\eta_{HT}$ ENTERED		
	4 $\eta_{LT}$ BY PROG.		
	5 $\eta_B$ VA 513		
	6 $\eta_{AB}$		
	7 $\psi_N$		
	8		
	9 POINTER		
6	0 $D_{T1}$ ↑ ↑		
	1 $r_{hi}$ ↑		
	2 $U_T$ INPUT		
	3 $\beta_{1T}$ ↓		
	4 $k_1$ ↓ PRINT-OUT		
	5 $F$		
	6 $\dot{w}$		
	7 $HP_{LC}$		
	8 $HP_{HC}$		
	9 $M_{W1} = W_1/a_1$		
7	0 $h_2 - h_1$		
	1 $h_3 - h_2$		
	2 $T_3$		
	3 $f_B'$		
	4 $P_5/P_4$		
	5 $T_5$		
	6 $P_8/P_5$		
	7 $f_B$		
	8 $h_6 - h_8$		
	9 $b$		
8	0 $T_8$		
	1 $\Delta f_{AB}$		
	2 $f_e = f_B + \Delta f_{AB}$		
	3 $T_2$		
	4 $f_N$		
	5 $I_{SP}$		
	6		
	7		
	8		
	9		
9	0 $\sin \beta_{1T}$		
	1 $U_T \cot \beta_{1T}$		
	2 $C = \pi/4 D_{T1}^2 (1 - r_{hi}^2) k_1$		
	3		
	4		
	5		
	6		
	7		
	8		
	9		

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20. ABSTRACT (Continue on reverse side if necessary and identify by block number) A calculating procedure is presented for the sea-level static performance of duct burning and afterburning bypass jet engines that have a low pressure and a high pressure spool. Performance values can be determined also for operation without reheat. Influence of temperature and fuel/air ratio on the thermodynamic properties of air and combustion gases is taken into account. A calculating program for a Monroe 1880-43 programmable electronic desk calculator is described which makes it possible to evaluate effects of changes of parameters on performance with minimum effort. (continued)		



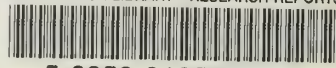
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The program will be used to establish the characteristics of compressors required for propulsive units of later generation Navy air-superiority fighter aircraft, to investigate whether the Turbo-Propulsion Laboratory of NPS would be capable of undertaking research and development work of such machines.

Programs of the type presented, and the use of modern programmable desk calculators, will also be of great value for instructional purposes. Teachers can then concentrate on the fundamental nature of particular topics and need not waste time on lengthy derivations, or on simplifications and approximations that are introduced only to solve equations with elementary means. The students would be relieved of the drudgery of routine hand calculations that do not contribute to a better understanding of the subject matter.

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